

# Notes

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# Atop

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- The simplest (useful) and most common form of compositing: put one image “atop” another
  - Image 1 (RGB) on top of image 2 (RGB)
- For each pixel in the final composite, need to know what RGB value to take
  - Where image 1 is opaque, choose  $RGB_1$
  - Where image 1 is “empty”, choose  $RGB_2$
  - Where image 1 is partly transparent, or where image 1 only covers part of the pixel?

# Alpha

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- We add another channel, alpha: RGBA
- Encodes whether the pixel of the image is empty (alpha=0) or opaque (alpha=1) or something in between ( $0 < \alpha < 1$ )
  - Most important case: at the edges of objects
- When we render a layer, we compute and save alpha along with RGB
  - Or if it's real action, use a “blue screen” behind the actors, estimate alpha
- Premultiplied alpha: instead of storing regular RGB + alpha, store  $rgb = \alpha * R, \alpha * G, \alpha * B$  and alpha
  - Simplifies formulas to come

# Atop operation

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- Image 1 “atop” image 2
- Assume independence of sub-pixel structure
  - So for each final pixel, a fraction  $\alpha_1$  is covered by image 1
  - Rest of final pixel (a fraction of  $1 - \alpha_1$ ) is covered partly by image 2 (fraction  $\alpha_2$ ) and partly uncovered
- Without premultiplied alpha:
  - $R_{\text{final}} = \alpha_1 * R_1 + (1 - \alpha_1) * \alpha_2 * R_2$
  - $G_{\text{final}} = \alpha_1 * G_1 + (1 - \alpha_1) * \alpha_2 * G_2$
  - $B_{\text{final}} = \alpha_1 * B_1 + (1 - \alpha_1) * \alpha_2 * B_2$
  - $\alpha_{\text{final}} = \alpha_1 + (1 - \alpha_1) * \alpha_2$

## Premultiplied

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- Using standard premultiplied alpha, formulas simplify:
  - $R_{\text{final}} = r_1 + (1 - \alpha_1) * r_2$
  - $G_{\text{final}} = g_1 + (1 - \alpha_1) * g_2$
  - $B_{\text{final}} = b_1 + (1 - \alpha_1) * b_2$
  - $\alpha_{\text{final}} = \alpha_1 + (1 - \alpha_1) * \alpha_2$
- And of course store the result premultiplied:
  - $r_{\text{final}} = \alpha_{\text{final}} * R_{\text{final}}$
  - $g_{\text{final}} = \alpha_{\text{final}} * G_{\text{final}}$
  - $b_{\text{final}} = \alpha_{\text{final}} * B_{\text{final}}$

## Note on gamma

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- Recall gamma: how nonlinear a particular display is
  - When you send a signal for fraction  $x$  of full brightness, actual brightness output from display is a nonlinear function of  $x$ 
    - Called gamma since usually modeled as  $x^\gamma$
  - For final image, for a particular display, should correct for gamma
- But when we're taking linear combinations of RGB values, need to do it before gamma correction!
  - Similarly for real life elements, camera output is distorted, needs to be undone before compositing

## 3D Rendering

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## Sampling and Filtering

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- For high quality images need to do
  - Antialiasing - no jaggies
  - Motion blur - no strobing
  - Possibly depth-of-field - no pinhole camera
- Boils down to:
  - Each pixel gets light from a number of different objects, places, times
- Figuring out where: point sampling
  - Find light at a particular place in the pixel, at a particular time, ...
- Combining the nearby point samples into RGBA for each pixel: filtering
  - Simplest is box filter (average the samples in pixel)

## How to get point samples

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- Three big rendering algorithms
  - Z-buffer / scanline
    - Graphics Hardware - OpenGL etc.
  - Ray tracing
    - Highly accurate rendering
    - Difficult models (e.g. volumetric stuff)
  - REYES
    - Almost everything you see in film/TV

## REYES

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- Invented at Lucasfilm (later Pixar) by Cook et al. SIGGRAPH '87
- Geometry is diced up into grids of micropolygons (quads about one pixel big)
- Each micropolygon is “shaded” in parallel to get a colour+opacity (RGBA)
- Then sent to “hiding” to determine in which point samples it makes a contribution
- Each point sample keeps a sorted list of visible points, composites them together when done
- Filter blends point samples to get final pixels