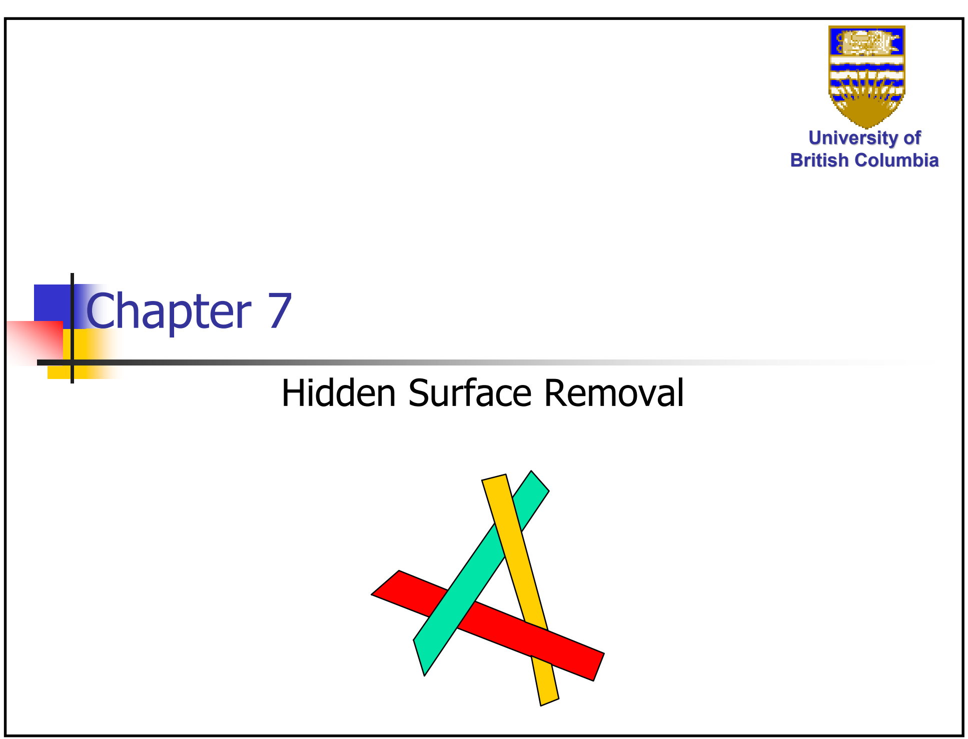

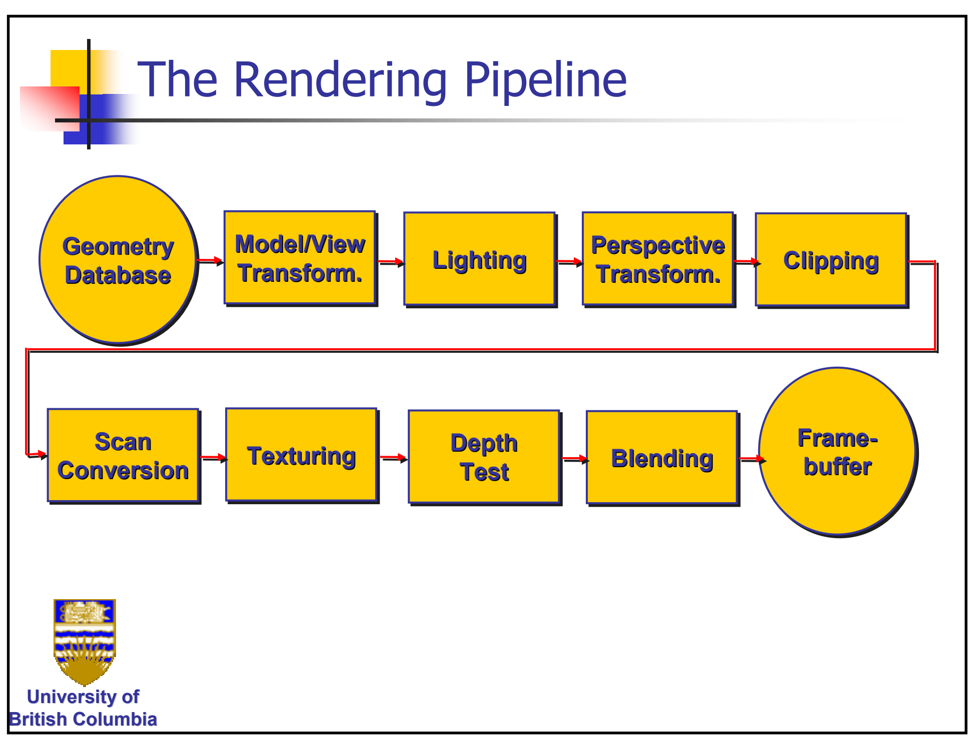

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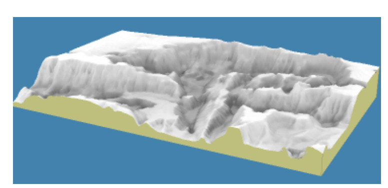
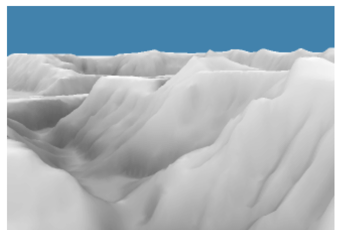
Hidden Surface Removal

- Major research topic in CG
- Multiple algorithms – cover a few
- Algorithm types
  - Object space
  - Image space





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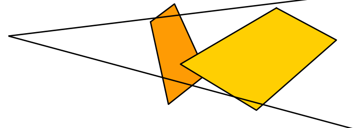
Hidden Surface Removal for Polygonal Scenes

- Input: Set of polygons in three-dimensional space + viewpoint



- Output: Two-dimensional image of projected polygons, containing only visible portions

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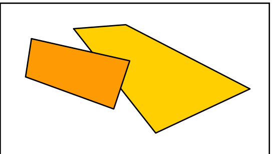

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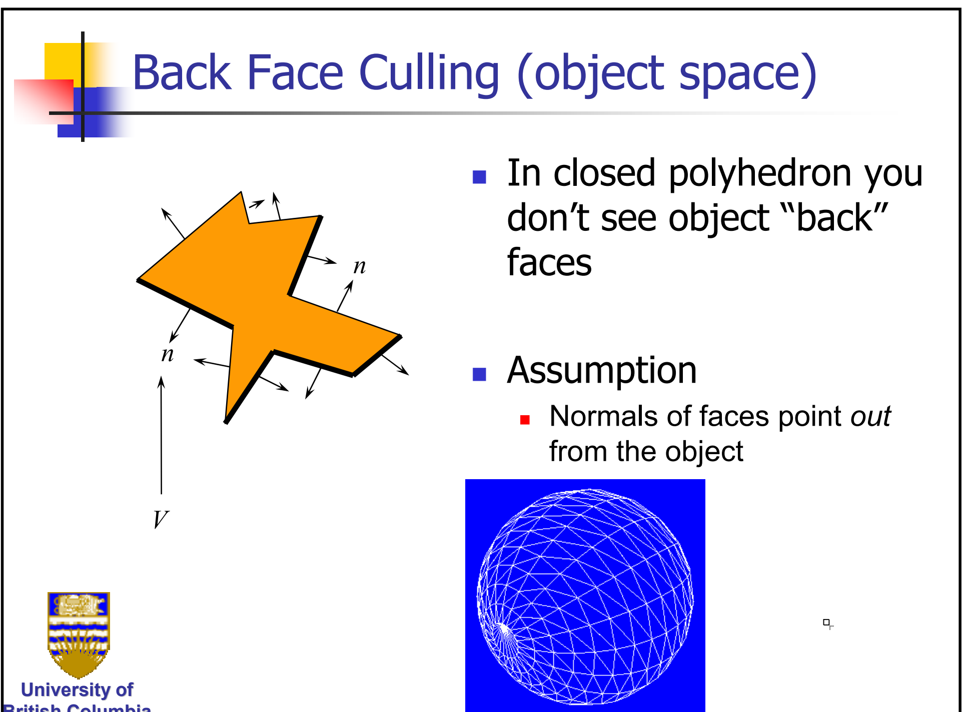

Back Face Culling

- Determine back & front faces using sign of inner product nv

$$n \cdot v = n_x v_x + n_y v_y + n_z v_z = \|n\| \cdot \|v\| \cos\theta$$

- In a convex object :
  - Invisible back faces
  - All front faces entirely visible $\Rightarrow$ solves hidden surfaces problem
- In non-convex object:
  - Invisible back faces
  - Front faces can be visible, invisible, or partially visible

Demo 1 Demo 2

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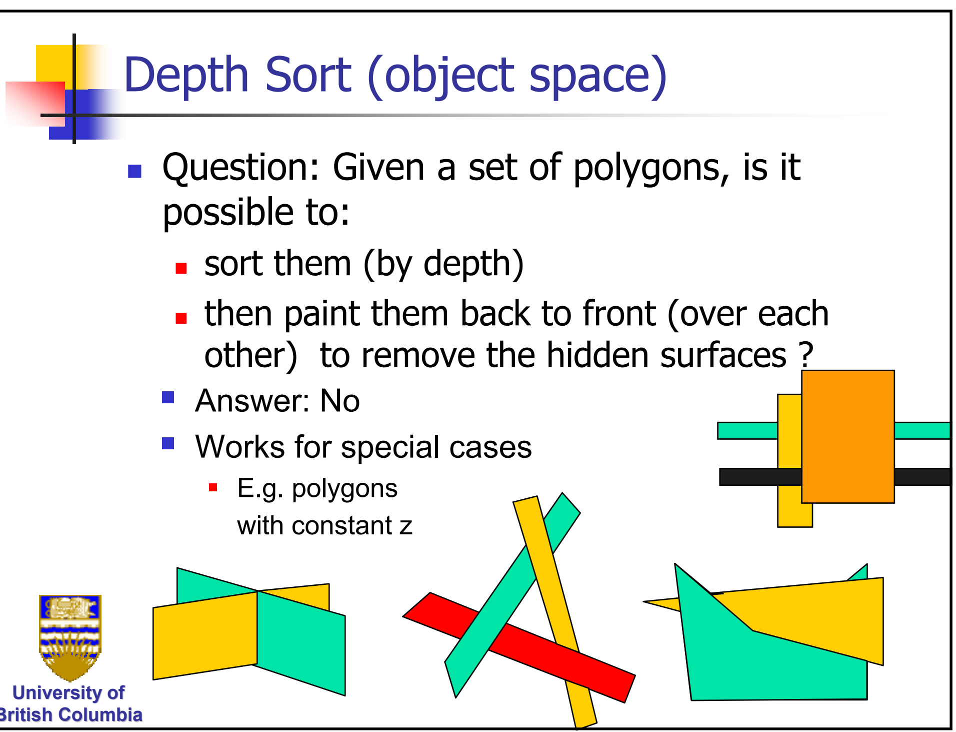

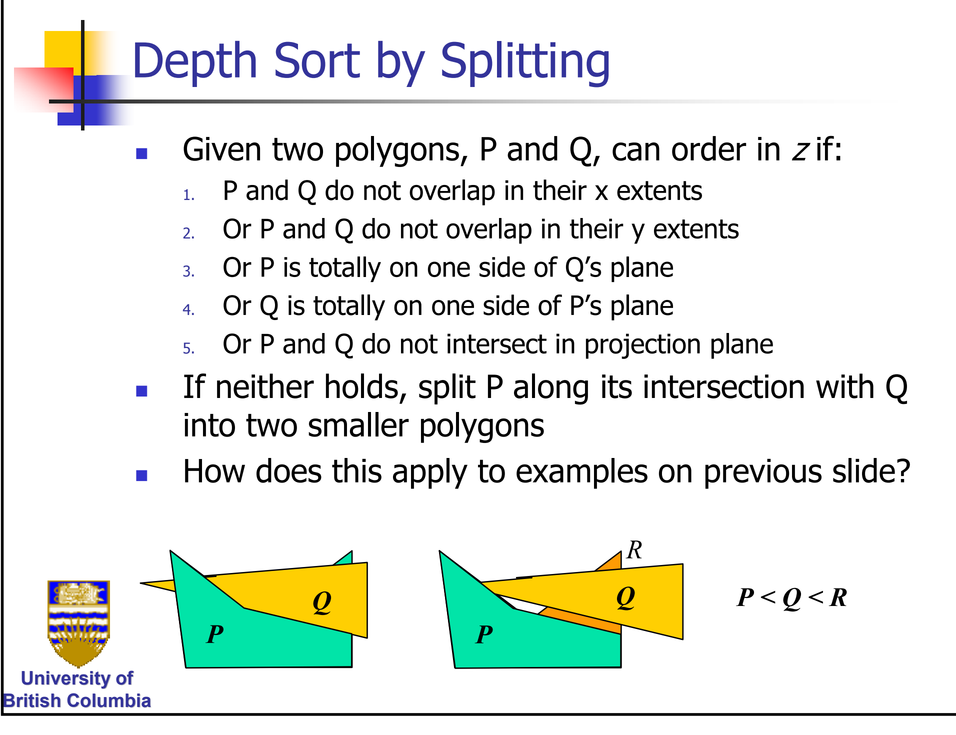

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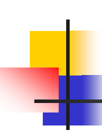
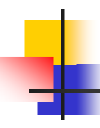


BSP Trees

- Different use of tests 3 & 4 in Depth Sort method
- Define:
  - S_P – set of polygons
  - $P \in S_P$
  - N_p normal to P
  - P in plane L_p
- Subdivide into 3 groups:
  - Polygons in front of L_p (N_p direction)
  - Polygons behind L_p
  - Polygons intersecting L_p
- Split polygons in class 3 along L_p place pieces in first 2 groups



BSP Trees

- After subdivision
  - Polygons behind L_p can't obscure P $\Rightarrow$ draw first
  - P can't obscure polygons in front of L_p $\Rightarrow$ draw P
  - Draw polygons in front of L_p
- Recursively subdivide and draw front & back sets
- BSP – Binary Space Partition

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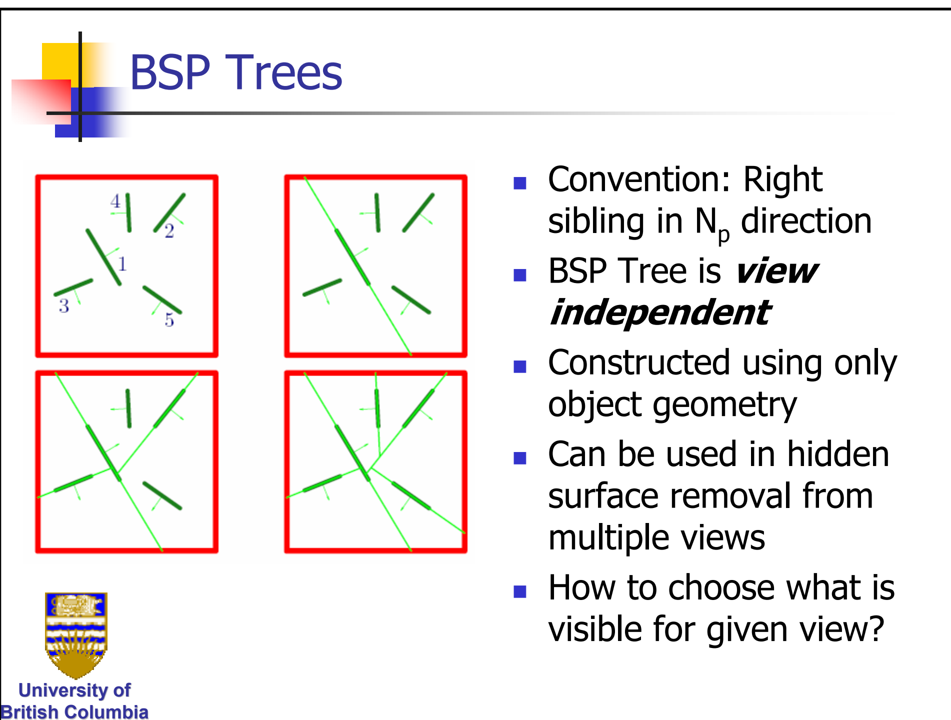

BSP Trees

- Given view direction V perform recursive tree traversal
  - Visit back side tree(from this view)
  - Draw current node's polygon
  - Visit from side tree
- To decide which side is back/front for given view check sign of VN_p

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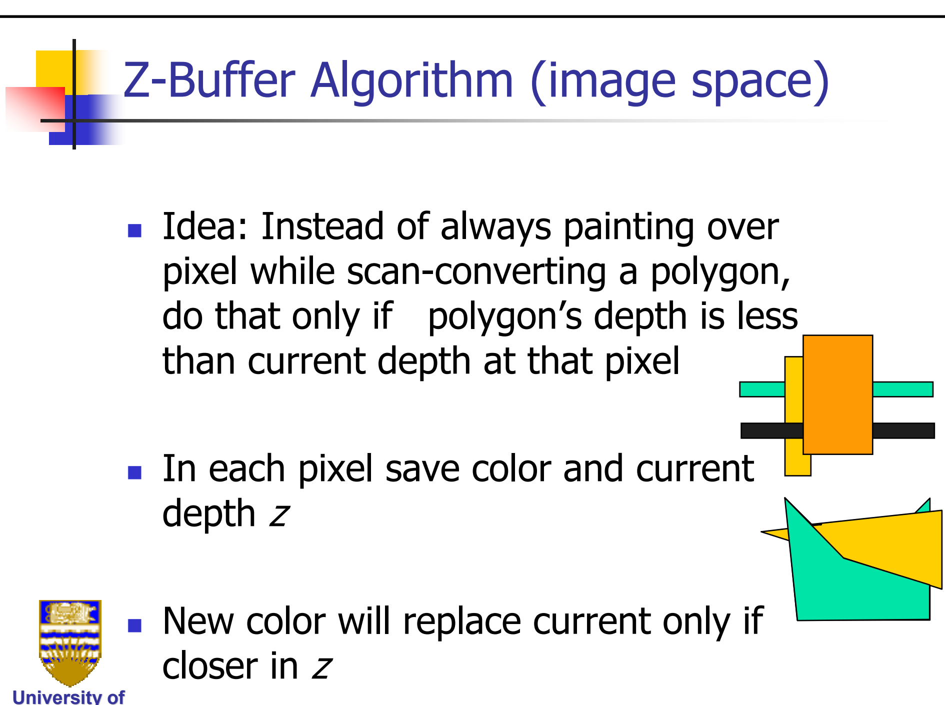

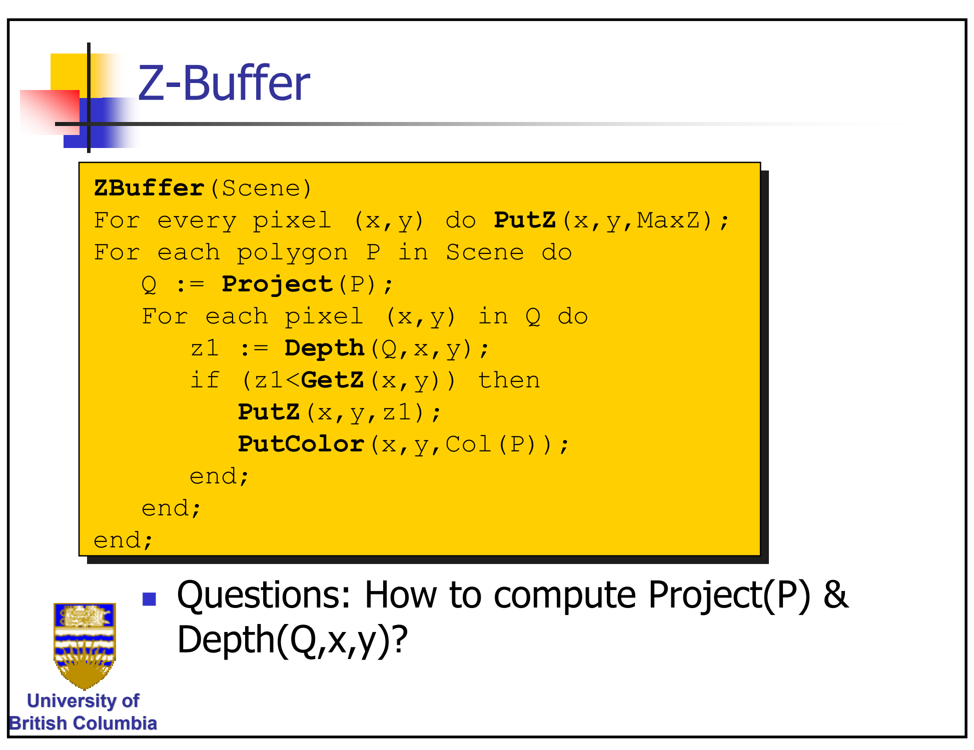

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Z-Buffer - Project(P)

- Use regular perspective – loose depth
  - Need to store separately
- Alternative: perspective warp

$$(x,y,z,1)\begin{bmatrix}1 & 0 & 0 & 0\\ 0 & 1 & 0 & 0\\ 0 & 0 & \frac{d}{d-\alpha} & \frac{1}{d}\\ 0 & 0 & \frac{-\alpha d}{d-\alpha} & 0\end{bmatrix} = \left(x,y,\frac{(z-\alpha)d}{d-\alpha},\frac{z}{d}\right)$$

$$(x_p,y_p,z_p) = \left(\frac{x}{z/d},\frac{y}{z/d},\frac{d^2}{d-\alpha}\left(1-\frac{\alpha}{z}\right)\right)$$

- z_p monotonic in z – use as depth to set order

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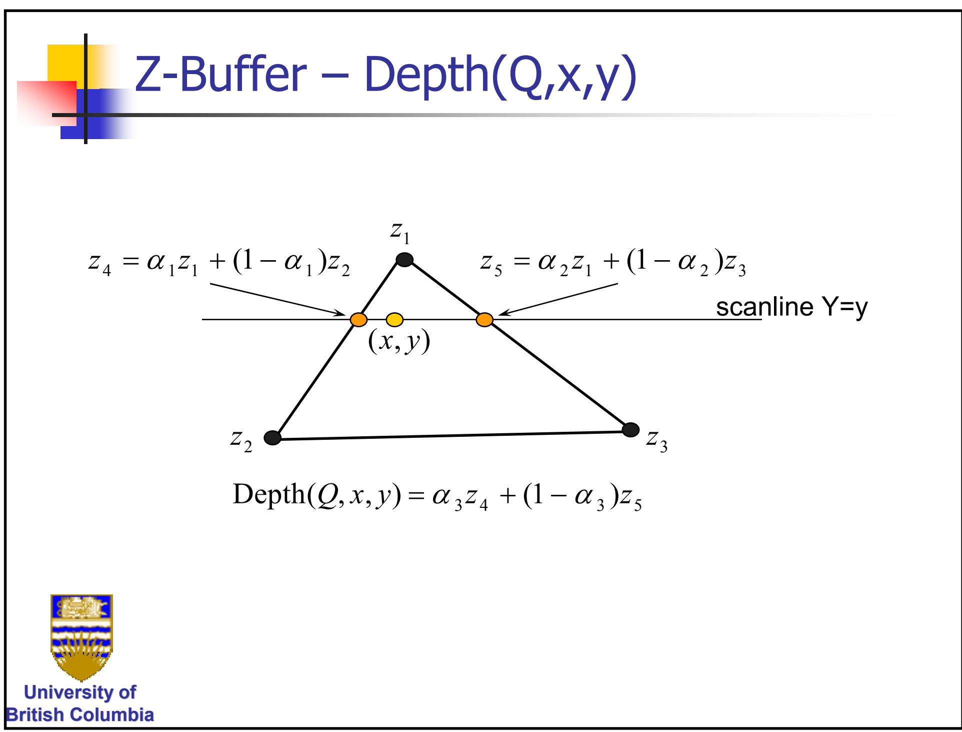
Z-Buffer – Depth(Q,x,y)



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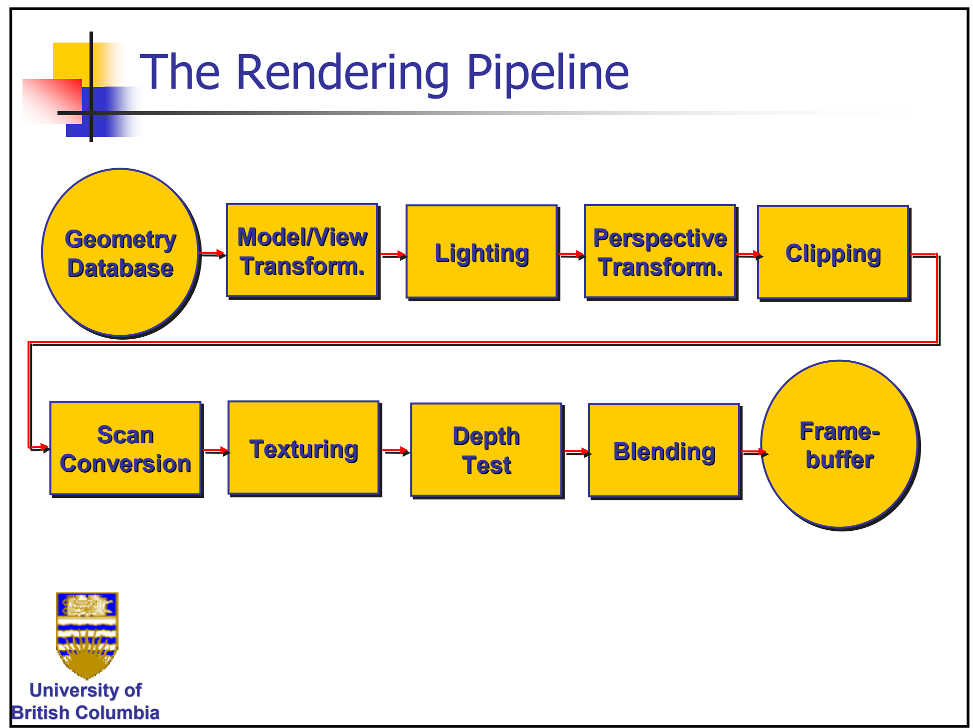
Z-Buffer Algorithm Properties

- Image space algorithm

- Data structure: Array of depth values
- Common in hardware due to simplicity
- Depth resolution of 32 bits is common
- ***Scene may be updated on the fly adding new polygons***

The Rendering Pipeline



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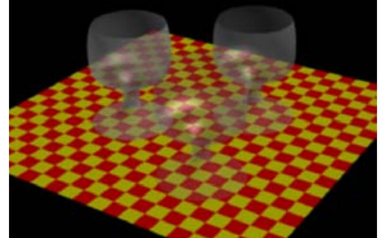
Transparency/Object Buffer

- A-buffer - extension to Z-buffer
- Save all pixel values
- At the end – have list of polygons & depths (order) for each pixel
- Simulate transparency by weighting different list elements



Scan-Line Z-Buffer Algorithm

- In software implementations - amount of memory required for screen Z-buffer is prohibitive
- Scan-line Z-buffer algorithm:
  - Render image one line at a time
  - Take into account only polygons affecting this line
- Combination of polygon scan-conversion & Z-buffer algorithms
- Only Z-buffer the size of scan-line is required
- ***Scene must be available apriori***
- ***Image cannot be updated incrementally***

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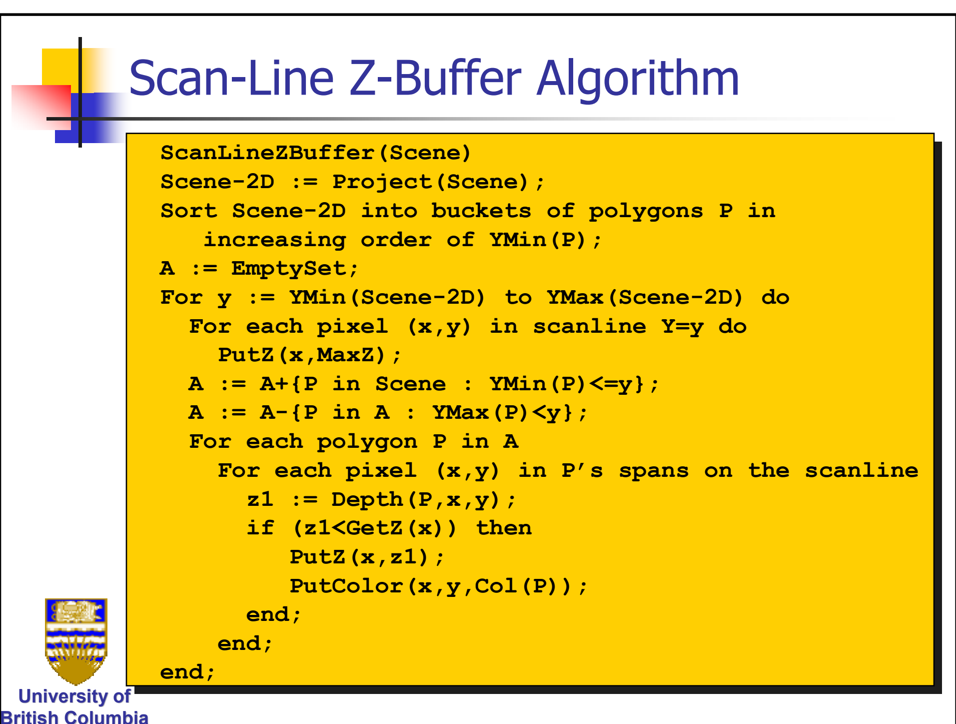

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