University of British Columbia

## Advanced Rendering

 Week 8, Wed Mar 5http://www.ugrad.cs.ubc.ca/~cs314/Vjan2008

## Geometric Transformations

- similar goal as in rendering pipeline: - modeling scenes more convenient using different coordinate systems for individual objects
- problem
- not all object representations are easy to transform - problem is fixed in rendering pipeline by restriction to polygons, which are affine invariant
ray tracing has different solution
- ray itself is always affine invariant
- thus: transform ray into object coordinates!


## Ray-Triangle Intersection

- method in book is elegant but a bit complex
- easier approach: triangle is just a polygon - intersect ray with plane



## Ray-Triangle Intersection

## Ray Tracing

- check if ray inside triangle
- check if point counterclockwise from each edge (to its left)
- check if cross product points in same direction as normal (i.e. if dot is positive)
${ }^{n}$ caw
ccw ${ }^{4}$

$(\mathbf{b}-\mathbf{a}) \times(\mathbf{x}-\mathbf{a}) \cdot \mathbf{n} \geq 0$
(c-b) $\times(x-b) \cdot n \geq 0$
$(\mathbf{a}-\mathbf{c}) \times(\mathbf{x}-\mathbf{c}) \cdot \mathbf{n} \geq 0$
- more details at
http://www.cs.cornell.edu/courses/cs465/2003fa/homeworks/raytri.pdf
- issues:
- generation of rays
- intersection of rays with geometric primitives
- geometric transformations
- lighting and shading
- efficient data structures so we don't have to test intersection with every object


## Geometric Transformations

- ray transformation
- for intersection test, it is only important that ray is in same coordinate system as object representation
- transform all rays into object coordinates
- transform camera point and ray direction by inverse of model/view matrix
shading has to be done in world coordinates (where light sources are given)
- transform object space intersection point to world
coordinates coordinates
- thus have to keep both world and object-space ray


## Ray Tracing

- issues:
- generation of rays
- intersection of rays with geometric primitives
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- efficient data structures so we don't have to test intersection with every object


## Local Lighting

- local surface information (normal...)
- for implicit surfaces $F(x, y, z)=0$ : normal $\mathbf{n}(x, y, z)$ can be easily computed at every intersection

$$
\begin{aligned}
& \text { point using the gradient } \\
& \qquad \mathbf{n}(x, y, z)=\left(\begin{array}{l}
\partial F(x, y, z) / \partial x \\
\partial F(x, y, z) / \partial y \\
\partial F(x, y, z) / \partial z
\end{array}\right) \\
& \text { - example: } \begin{array}{c}
F(x, y, z)=x^{2}+y^{2}+z^{2}-r^{2}
\end{array}(2 x)
\end{aligned}
$$

$$
\mathbf{n}(x, y, z)=\left(\begin{array}{c}
2 x \\
2 y \\
2 z
\end{array}\right) \quad \text { needs to be normalized! }
$$

## Local Lighting

- local surface information
- alternatively: can interpolate per-vertex information for triangles/meshes as in rendering pipeline
- now easy to use Phong shading! - as discussed for rendering pipeline
- difference with rendering pipeline:
- interpolation cannot be done incrementally
- have to compute barycentric coordinates for every intersection point (e.g plane equation for triangles)


## Global Shadows

- approach
- to test whether point is in shadow, send out shadow rays to all light sources
- if ray hits another object, the point lies in shadow


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Global Reflections/Refractions

- approach
send rays out in reflected and refracted direction to gather incoming light
- that light is multiplied by local surface color and added to result of local shading



## Advanced Phenomena

- Can (not allways efficiently) simulate
- Soft Shadows
- Fog
- Frequency Dependent Light (diamonds \& prisms)
- Barely handle S*DS*
- S - Specular
-D - diffuse


## Total Internal Reflection


...the refracted ray becomes dimmer (there is less refraction) ...the reflected ray becomes brighter (there is more reflection) ...the angle of refraction appraaches 90 degrees until finally a refracted ray can no longer be seen.
http://www.physicsclassroom.com/Class/refrn/U14L3b.html

Ray Tracing

## - issues:

- generation of rays
- intersection of rays with geometric primitives
- geometric transformations
- lighting and shading
- efficient data structures so we don't have to test intersection with every object


## Optimized Ray-Tracing

- basic algorithm simple but very expensive
- optimize by reducing:
- number of rays traced
- number of ray-object intersection calculations


## methods

- bounding volumes: boxes, spheres
- spatial subdivision

$$
\begin{aligned}
& \text { - uniform } \\
& \text { - BSP trees }
\end{aligned}
$$

- (more on this later with collision)
rate at which energy emitted or reflected by a surface - radiosity methods
capture diffuse-diffuse bouncing of light
- indirect effects difficult to handle with raytracing


Subsurface Scattering: Translucency

- light enters and leaves at different locations on the surface
- bounces around inside
- technical Academy Award, 2003
- Jensen, Marschner, Hanrahan


Subsurface Scattering: Skin


## Radiosity

- illumination as radiative heat transfer

- conserve light energy in a volume
- model light transport as packet flow until convergence
- solution captures diffuse-diffuse bouncing of light
- view-independent technique
- calculate solution for entire scene offline
- browse from any viewpoint in realtime

Radiosity
divide surfaces into small patches

- loop: check for light exchange between all pairs - form factor: orientation of one patch wrt other patch ( $\mathrm{n} \times \mathrm{n}$ matrix)

Better Global Illumination - ray-tracing: great specular, approx. diffuse - view dependent

- radiosity: great diffuse, specular ignored
- view independent, mostly-enclosed volumes
- photon mapping: superset of raytracing and radiosity - view dependent, handles both diffuse and specular well


Subsurface Scattering: Skin


Non-Photorealistic Shading - cool-to-warm shading


Non-Photorealistic Shading

- draw silhouettes: if $\left(\mathbf{e} \cdot \mathbf{n}_{0}\right)\left(\mathbf{e} \cdot \mathbf{n}_{1}\right) \leq 0, \mathbf{e}=$ edge-eye vector - draw creases: if $\left(\mathbf{n}_{0} \cdot \mathbf{n}_{1}\right) \leq$ threshold



## Image-Based Modelling and Rendering

store and access only pixels

- no geometry, no light simulation,
input: set of images
output: image from new viewpoint
- surprisingly large set of possible new viewpoints
- interpolation allows translation, not just rotation - lightfield, lumigraph: translate outside convex hull of object
QuickTimeVR: camera rotates, no translation uickTimeVR: camera rotates, no translation


