
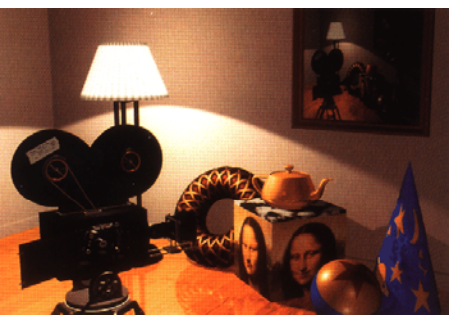



Lighting




- Goal
 - Model the interaction of light with surfaces to render realistic images
- Contributing Factors
 - Light sources
 - Shape and color
 - Surface materials
 - How surfaces reflect light
 - Transport of light
 - How light moves in a scene






Lighting





- Appearance depends on
 - Light sources, locations, properties
 - Material (surface) properties
 - Viewer position
- Algorithms:
 - Local illumination - Fast
 - "Fake" - Ignore real physics, approximate the look
 - Compute at material, from light to viewer
 - Global illumination – Slow
 - Physically based






Local vs. Global Illumination Models

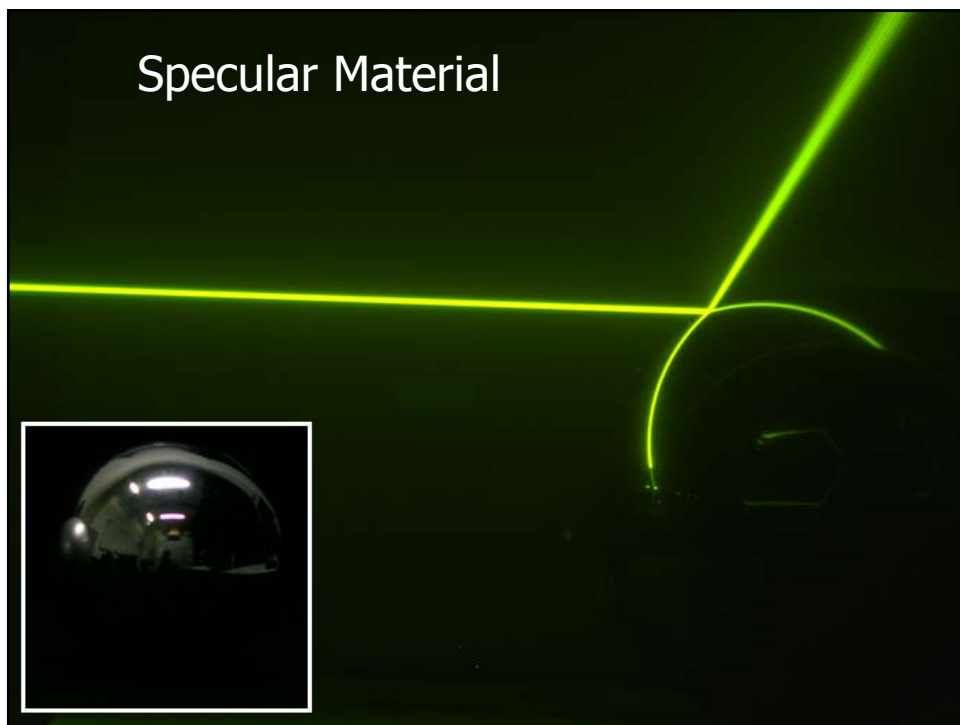
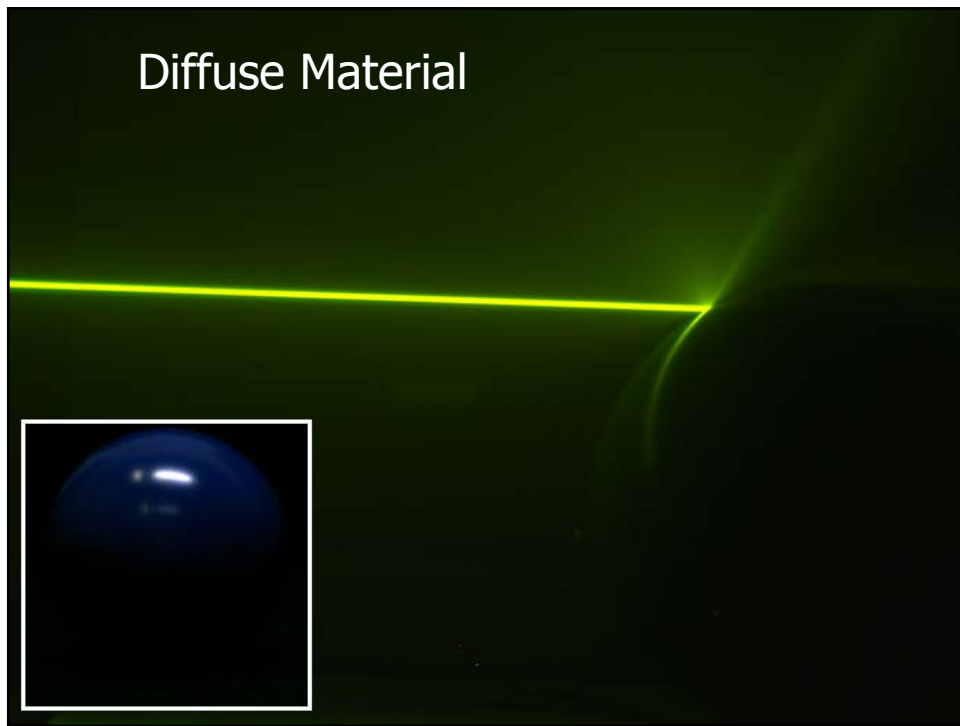
- Local model - interaction of each object with light
- Global model: interactions between objects

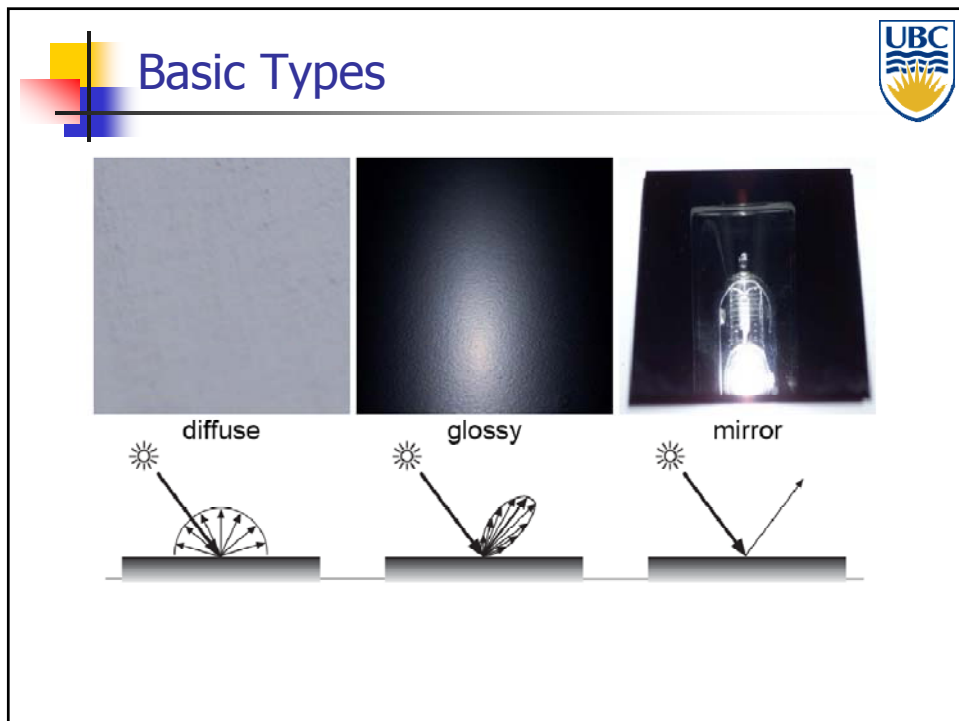
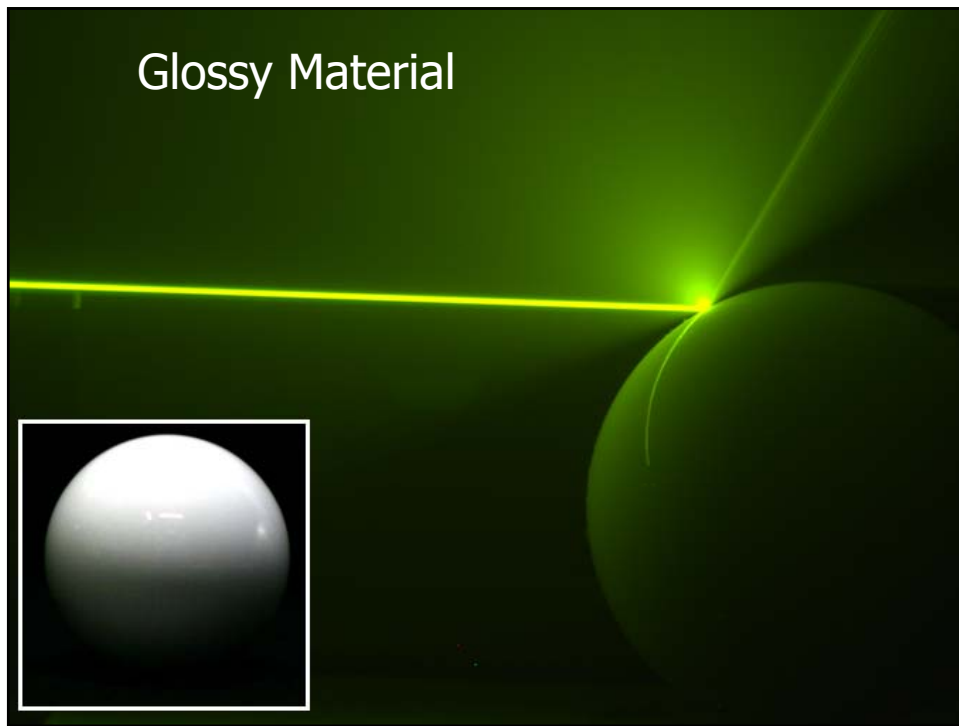



Materials

- Surface reflectance:
 - Illuminate surface point with a ray of light from different directions
 - How much light is reflected in each direction?






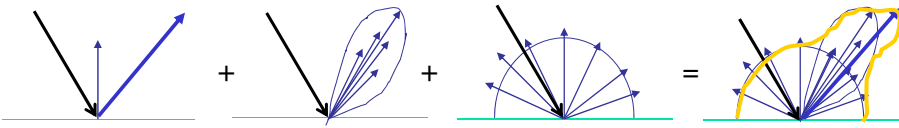





Reflectance Distribution Model




- Most surfaces exhibit complex reflectances
 - Vary with incident and reflected directions.
 - Model with combination – known as BRDF
 - BRDF: *Bidirectional Reflectance Distribution Function*

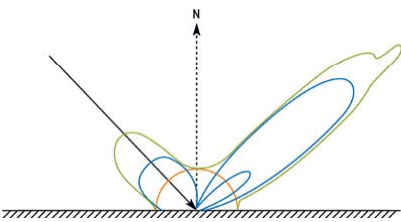




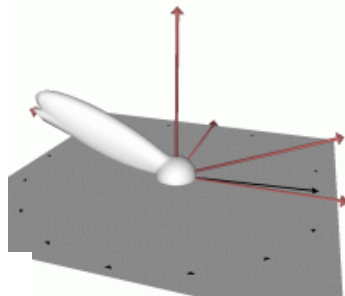
BRDF measurements/plots

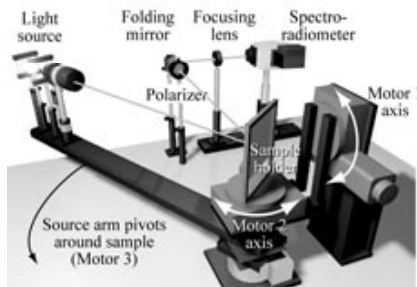



■ 2D slice




■ 3D surface









Materials



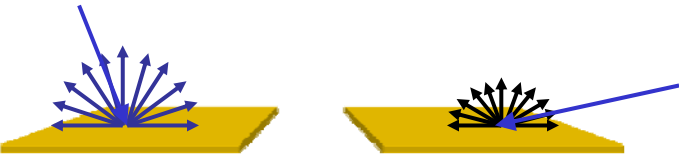
- Practical Considerations
 - In practice, often simplify (computational efficiency)
 - Derive specific formulas that describe basic reflectance behaviors
 - diffuse, glossy, specular
 - OpenGL choice




Physics of Diffuse Reflection




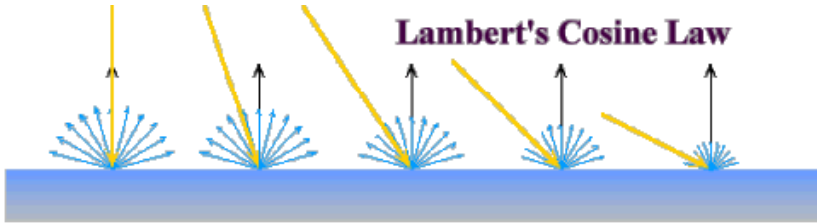
- Ideal diffuse reflection
 - Very rough surface at the microscopic level
 - Real-world example: chalk
 - Microscopic variations mean incoming ray of light equally likely to be reflected in any direction over the hemisphere
 - Reflected intensity only depends on light direction!





Lambert's "Law"

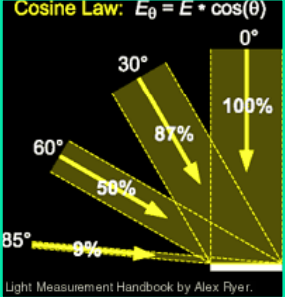





Lambert's Cosine Law

Intuitively: cross-sectional area of the "beam" intersecting an element of surface area is smaller for greater angles with the normal.


Cosine Law: $E_{\theta} = E \cdot \cos(\theta)$



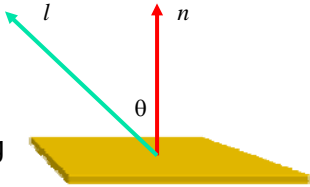
Light Measurement Handbook by Alex Fryer.




Computing Diffuse Reflection




- Depends on **angle of incidence**: angle between surface normal and incoming light
 - $I_{\text{diffuse}} = k_d I_{\text{light}} \cos \theta$
- In practice use vector arithmetic
 - $I_{\text{diffuse}} = k_d I_{\text{light}} (\mathbf{n} \cdot \mathbf{l})$
- Always normalize vectors used in lighting
 - \mathbf{n} , \mathbf{l} should be unit vectors
- Scalar (B/W intensity) or 3-tuple or 4-tuple (color)
 - k_d : diffuse coefficient, surface color
 - I_{light} : incoming light intensity
 - I_{diffuse} : outgoing light intensity (for diffuse reflection)





Diffuse Lighting Examples

- Lambertian sphere from several lighting angles:

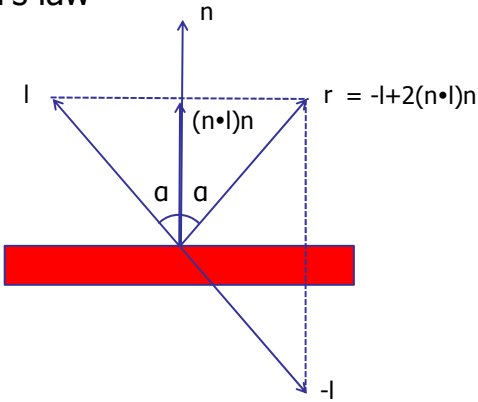


- need only consider angles from 0° to 90°


The slide features a decorative graphic of overlapping colored squares (yellow, red, blue) and a UBC logo in the top right corner. The spheres are arranged in a horizontal row, showing a gradient of lighting from a bright spot on top to a dark shadow on the bottom.

Physics of Specular Reflection


- Geometry of specular (perfect mirror) reflection
 - Snell's law



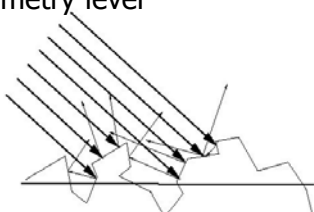
The diagram illustrates the geometry of specular reflection. A red horizontal bar represents the surface. A vertical blue arrow labeled n points upwards from the surface, representing the normal. An incident ray labeled I is shown as a blue arrow pointing towards the surface. The angle between I and n is labeled α . The reflected ray labeled r is shown as a blue arrow pointing away from the surface. The angle between r and n is also labeled α . A dashed line represents the projection of I onto the surface. The vector r is defined by the equation $r = -I + 2(n \cdot I)n$. A dashed line also shows the projection of r onto the surface, which is the negative of the projection of I .




Glossy Reflectance




- Snell's law applies to perfect mirror-like surfaces, but aside from mirrors (and chrome) few surfaces exhibit perfect specular
- How can we capture the "softer" reflections of surface that are glossy, not mirror-like?
- One option: model exact physics
 - Multiple reflections on microgeometry level
- Or...







Empirical Approximation



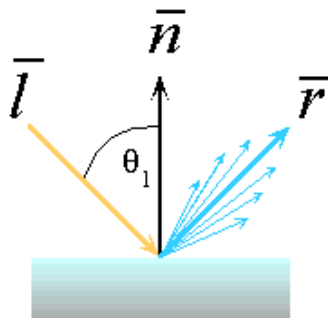
- Expect most reflected light to travel in direction predicted by Snell's Law
- But (because of microscopic surface variations) some light may be reflected in a direction slightly off the ideal reflected ray
- As angle from ideal reflected ray increases, we expect less light to be reflected




Empirical Approximation




- Angular falloff



- How might we model this falloff?



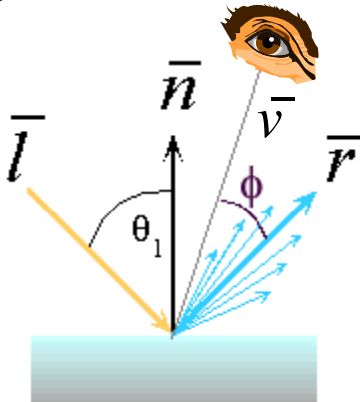
Phong Lighting

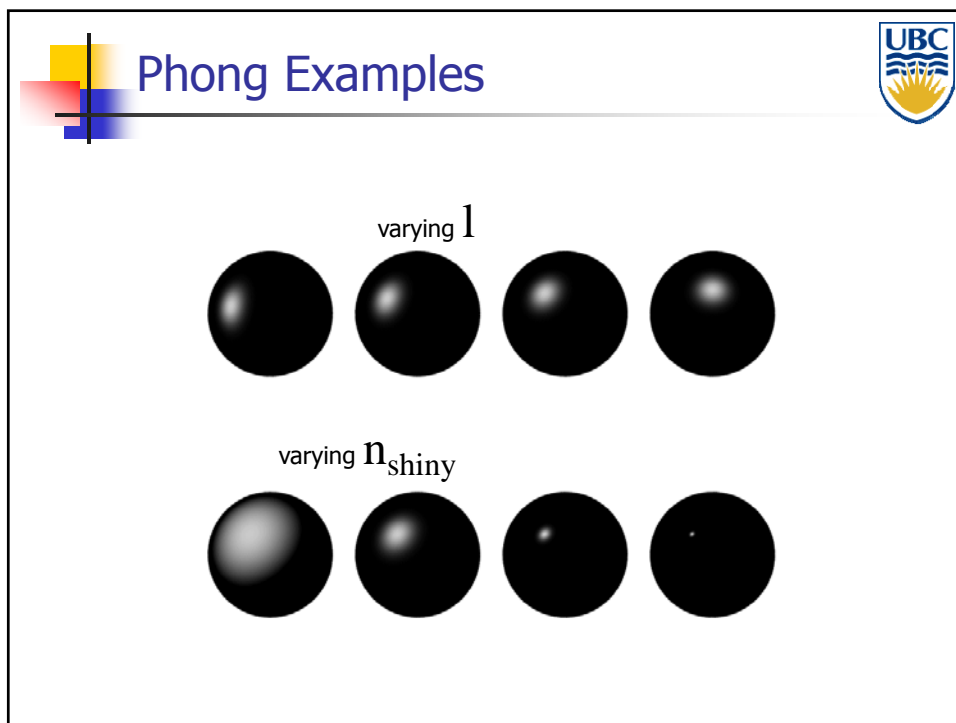
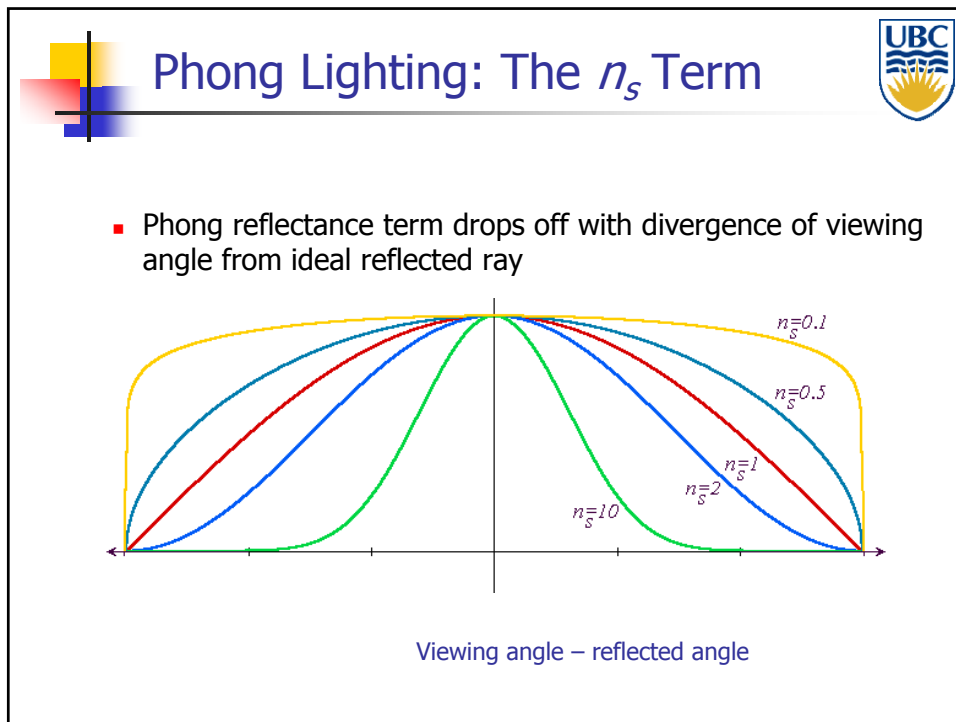



- Most common lighting model in computer graphics
 - (Phong Bui-Tuong, 1975)

$$\mathbf{I}_{\text{specular}} = \mathbf{k}_s \mathbf{I}_{\text{light}} (\cos \phi)^{n_s}$$


ϕ : angle between \mathbf{r} and view direction \mathbf{v}
 n_s : purely empirical constant, varies rate of falloff
 k_s : specular coefficient, highlight color
 no physical basis, works ok in practice







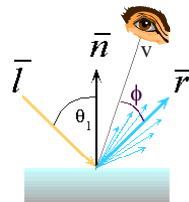
Calculating Phong Lighting




- compute cosine term of Phong lighting with vectors


$$\mathbf{I}_{\text{specular}} = k_s \mathbf{I}_{\text{light}} (\mathbf{v} \cdot \mathbf{r})^{n_s}$$

- \mathbf{v} : unit vector towards viewer/eye
- \mathbf{r} : ideal reflectance direction (unit vector)
- k_s : specular component
 - highlight color
- I_{light} : incoming light intensity

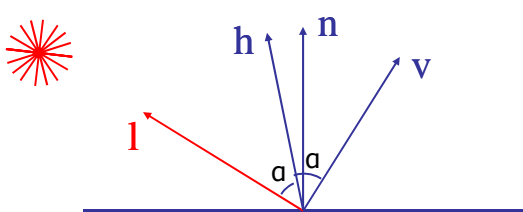





Alternative Model




- Blinn-Phong model (Jim Blinn, 1977)
 - Variation with better physical interpretation
 - \mathbf{h} : halfway vector; r : roughness


$$I_{\text{specular}} = k_s \cdot (\mathbf{h} \cdot \mathbf{n})^{1/r} \cdot I_{\text{light}} ; \text{ with } \mathbf{h} = (\mathbf{l} + \mathbf{v}) / 2$$





Materials (last bit)

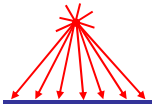
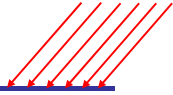



- Light is linear
 - If multiple rays illuminate the surface point the result is just the sum of the individual reflections for each ray




Light Sources



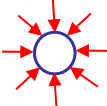
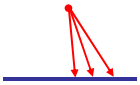
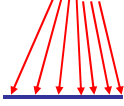
- Point source
 - light originates at a point
 - Rays hit planar surface at different angles
- Parallel source
 - light rays are parallel
 - Rays hit a planar surface at identical angles
 - May be modeled as point source at infinity
 - *Directional light*




Light Sources




- Area source
 - Light originates at finite area in space.
 - In-between point and parallel sources
- Spotlights
 - position, direction, angle
- Ambient light (environment light)
 - Hack for replacing true global illumination
 - (light bouncing off from other objects)

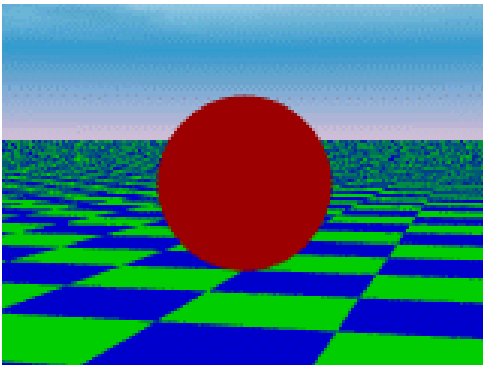




Ambient Light Sources



- Scene lit only with an ambient light source




Light Position
Not Important

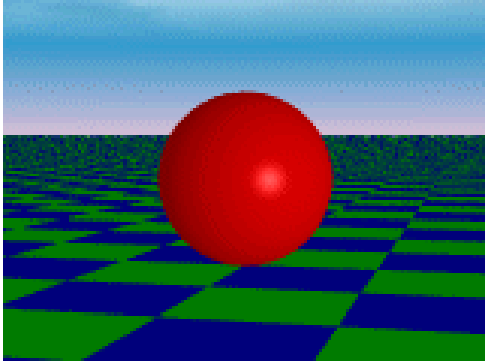
Viewer Position
Not Important

Surface Angle
Not Important

Directional Light Sources



- Scene lit with directional and ambient light




Surface Angle Important

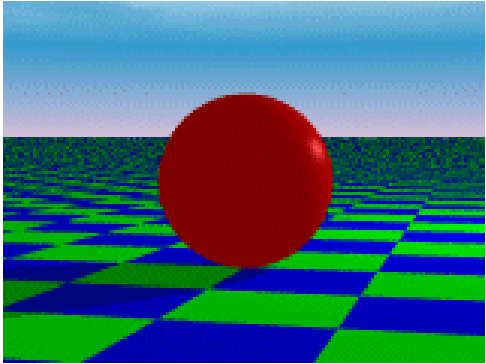
Light Position Not Important

Viewer Position Not Important

Point Light Sources




- Scene lit with ambient and point light source




Light Position Important

Viewer Position Important

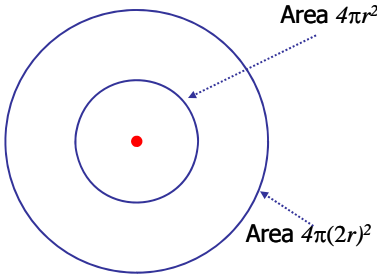
Surface Angle Important




Light Source Falloff




- Quadratic falloff (point- and spot lights)
 - Brightness of objects depends on power per unit area that hits the object
 - The power per unit area for a point or spot light decreases quadratically with distance






Light Source Falloff




- Non-quadratic falloff
 - Many systems allow for other falloffs
 - Allows for faking effect of area light sources
 - OpenGL / graphics hardware
 - I_0 : intensity of light source
 - \mathbf{x} : object point
 - r : distance of light from \mathbf{x}


$$I_{in}(\mathbf{x}) = \frac{1}{ar^2 + br + c} \cdot I_0$$




Ambient Light




- non-directional light – environment light
- Object illuminated with same light everywhere
 - Looks like silhouette
- Illumination equation $I = I_a k_a$
 - I_a - ambient light intensity
 - k_a - fraction of this light reflected from surface
 - Defines object color






Illumination Equation





- For multiple light sources:

$$I = I_a k_a + \sum_p \frac{I_p}{A(d_p)} (k_d (n \cdot l_p) + k_s (r_p \cdot v)^n)$$


- d_p - distance between surface and light source + distance between surface and viewer, A – attenuation function





shadingmodel




Light




- Light has color
- Interacts with object color (r,g,b)
$$I = I_a k_a$$
$$I_a = (I_{ar}, I_{ag}, I_{ab})$$
$$k_a = (k_{ar}, k_{ag}, k_{ab})$$
$$I = (I_r, I_g, I_b) = (I_{ar}k_{ar}, I_{ag}k_{ag}, I_{ab}k_{ab})$$
- Blue light on white surface?
- Blue light on red surface?







Lighting in OpenGL



- Light source: amount of RGB light emitted
 - value represents percentage of full intensity, e.g., (1.0,0.5,0.5)
 - every light source emits ambient, diffuse, and specular light
- Materials: amount of RGB light reflected
 - value represents percentage reflected e.g., (0.0,1.0,0.5)
- Interaction: multiply components
 - Red light (1,0,0) x green surface (0,1,0) = black (0,0,0)




In OpenGL




- k_a, k_d, k_s - surface color (RGB)

- Modify by `glMaterialfv(GL_FRONT_AND_BACK, pname, RGB[])`
- `pname` - `GL_AMBIENT`, `GL_DIFFUSE`, `GL_SPECULAR`

- Light source properties (also RGB)
`glLightfv(GL_LIGHTi, pname, light[])`




Lighting in OpenGL




```
glLightfv(GL_LIGHT0, GL_AMBIENT, amb_light_rgba );
glLightfv(GL_LIGHT0, GL_DIFFUSE, dif_light_rgba );
glLightfv(GL_LIGHT0, GL_SPECULAR, spec_light_rgba );
glLightfv(GL_LIGHT0, GL_POSITION, position);
glEnable(GL_LIGHT0);


glMaterialfv( GL_FRONT, GL_AMBIENT, ambient_rgba );
glMaterialfv( GL_FRONT, GL_DIFFUSE, diffuse_rgba );
glMaterialfv( GL_FRONT, GL_SPECULAR, specular_rgba );
glMaterialfv( GL_FRONT, GL_SHININESS, n );
```




Light Sources - OpenGL



- Specify parameters
`glLightfv(GL_LIGHTi, GL_POSITION, light[])`
`i` – between 0 & 8 (or more)
- Directional $[x \ y \ z \ 0]$
- Point source $[x \ y \ z \ 1]$
- Spotlight has extra parameters:
 - `GL_SPOT_DIRECTION`, `GL_SPOT_EXPONENT`, `GL_SPOT_CUTOFF`
- Area source – too complex for projective pipeline (e.g. OpenGL)



Lighting in Rendering Pipeline



- Notes:
 - Lighting is applied to every **vertex**
 - i.e. the three vertices in a triangle
 - Per-vertex lighting
 - Will later see how the interior points of the triangle obtain their color
 - This process is called **shading**
 - Will discuss in the context of scan conversion