



# **Light Sources and Materials**

# Appearance depends on

- Light sources, locations, properties
- Material (surface) properties
- Viewer position

#### Local illumination

· Compute at material, from light to viewer

# Global illumination (later in course)

- · Ray tracing: from viewer into scene
- Radiosity: between surface patches

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# Illumination in the Rendering Pipeline



#### Local illumination

- Only models light arriving directly from light source
- No interreflections and shadows
  - Can be added through tricks, multiple rendering passes

# **Light sources**

Simple shapes

# **Materials**

· Simple, non-physical reflection models



# **Light Sources**

# Types of light sources

- Directional/parallel lights
  - E.g.sun
  - Homogeneous vector
- (Homogeneous) point lights
  - Same intensity in all directions
  - Homogeneous point
- Spot lights
  - Limited set of directions
  - Point+direction+cutoff angle







# **Light Sources**

# Geometry: positions and directions

- Standard: world coordinate system
  - Effect: lights fixed wrt world geometry
  - Demo: <u>http://www.xmission.com/~nate/tutors.html</u>
- Alternative: camera coordinate system
  - Effect: lights attached to camera (car headlights)
- Points and directions undergo normal model/view transformation

illumination calculations: camera coords



# **Types of Reflection**

- Specular (a.k.a. mirror or regular) reflection causes light to propagate without scattering.
- Diffuse reflection sends light in all directions with equal energy.
- Mixed reflection is a weighted combination of specular and diffuse.



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# **Reflectance Distribution Model**



# Most surfaces exhibit complex reflectances

- · Vary with incident and reflected directions.
- Model with combination

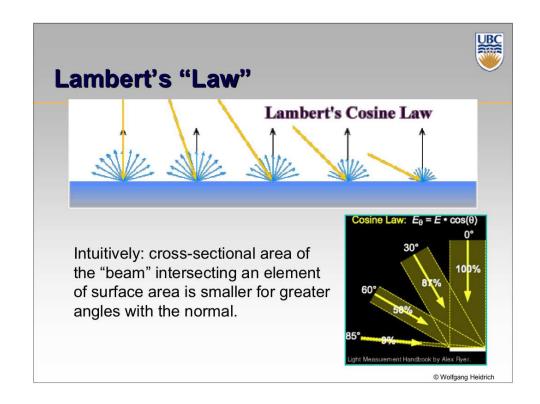








specular + glossy + diffuse = reflectance distribution



# **Computing Diffuse Reflection**



 Depends on angle of incidence: angle between surface normal and incoming light

$$-I_{diffuse} = k_d I_{light} \cos \theta$$

In practice use vector arithmetic

$$-I_{diffuse} = k_d I_{light} (n \cdot l)$$

Always normalize vectors used in lighting

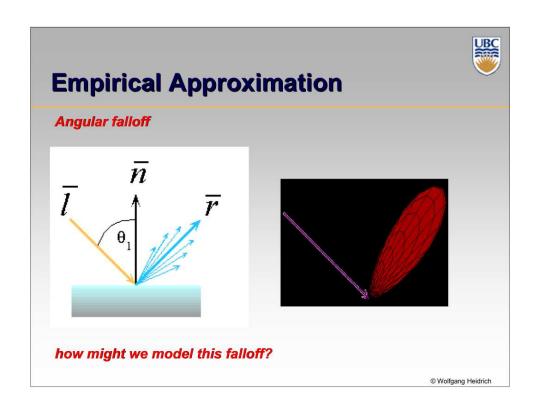
- n, l should be unit vectors

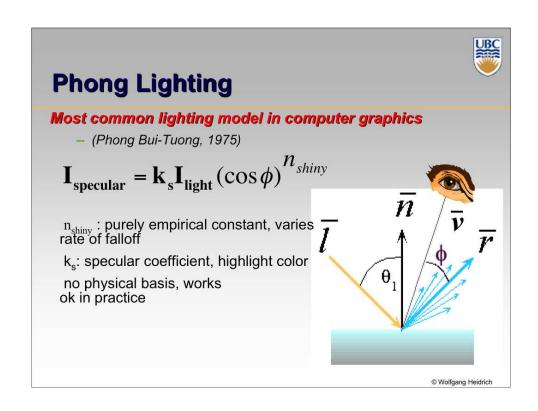
Scalar (B/W intensity) or 3-tuple or 4-tuple (color)

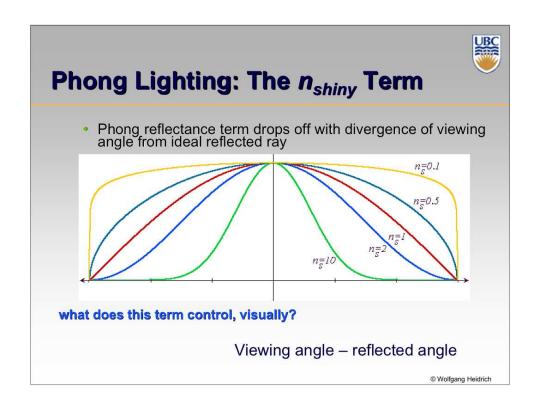
- k<sub>d</sub>: diffuse coefficient, surface color

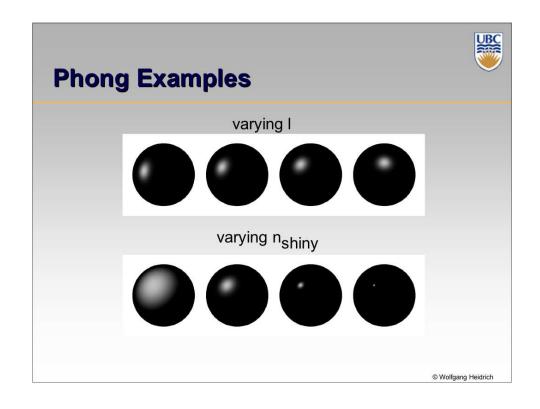
- I<sub>light</sub>: incoming light intensity

- I<sub>diffuse</sub>: outgoing light intensity (for diffuse reflection)









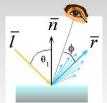


# **Calculating Phong Lighting**

compute cosine term of Phong lighting with vectors

$$\mathbf{I}_{\text{specular}} = \mathbf{k}_{s} \mathbf{I}_{\text{light}} (\mathbf{v} \cdot \mathbf{r})^{n_{\text{shiny}}}$$

- · v: unit vector towards viewer/eye
- r: ideal reflectance direction (unit vector)
- k<sub>s</sub>: specular component
  - highlight color
- I<sub>light</sub>: incoming light intensity



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# **Lighting in OpenGL**

# Light source: amount of RGB light emitted

- Value represents percentage of full intensity E.g., (1.0,0.5,0.5)
- Every light source emits ambient, diffuse, and specular light

# Materials: amount of RGB light reflected

 Value represents percentage reflected e.g., (0.0,1.0,0.5)

# Interaction: multiply components

Red light (1,0,0) x green surface (0,1,0) = black (0,0,0)



# **Lighting in OpenGL**

```
glLightfv(GL_LIGHT0, GL_AMBIENT, amb_light_rgba);
glLightfv(GL_LIGHT0, GL_DIFFUSE, dif_light_rgba);
glLightfv(GL_LIGHT0, GL_SPECULAR, spec_light_rgba);
glLightfv(GL_LIGHT0, GL_POSITION, position);
glEnable(GL_LIGHT0);

glMaterialfv(GL_FRONT, GL_AMBIENT, ambient_rgba);
glMaterialfv(GL_FRONT, GL_DIFFUSE, diffuse_rgba);
glMaterialfv(GL_FRONT, GL_SPECULAR, specular_rgba);
glMaterialfv(GL_FRONT, GL_SHININESS, n);
```

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# **Shading**

**CPSC 314** 



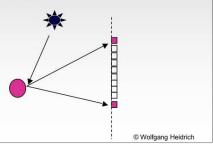
# **Lighting vs. Shading**

# Lighting

 Process of computing the luminous intensity (i.e., outgoing light) at a particular 3-D point, usually on a surface

# Shading

The process of computing pixel colors



# OBC

# **Applying Illumination**

# Lighting:

We now have an illumination model for a point on a surface

# If surface defined as mesh of polygonal facets, which points should we use?

- Fairly expensive calculation
- Several possible answers, each with different implications for visual quality of result



# **Applying Illumination**

# Polygonal/triangular models

- Each facet has a constant surface normal
- If light is directional, diffuse reflectance is constant across the facet.
- why?

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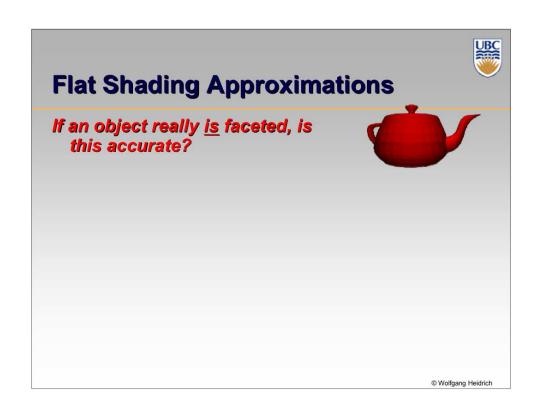
# **Flat Shading**

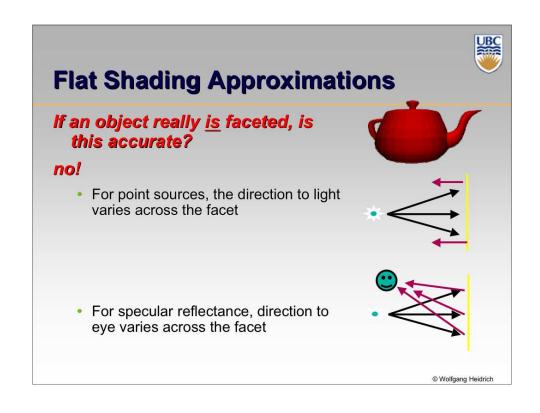


Simplest approach calculates illumination at a single point for each polygon



obviously inaccurate for smooth surfaces









Better, but result still clearly faceted

For smoother-looking surfaces we introduce vertex normals at each vertex

- Usually different from facet normal
- Used only for shading
- Think of as a better approximation of the *real* surface that the polygons approximate

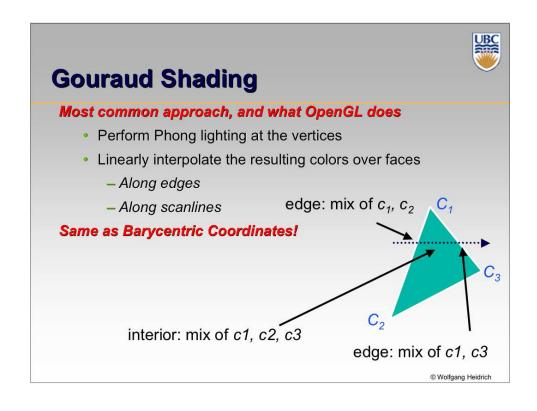
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# **Vertex Normals**

# Vertex normals may be

- Provided with the model
- Computed from first principles
- Approximated by averaging the normals of the facets that share the vertex





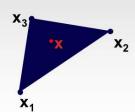
# **Barycentric Coordinates**

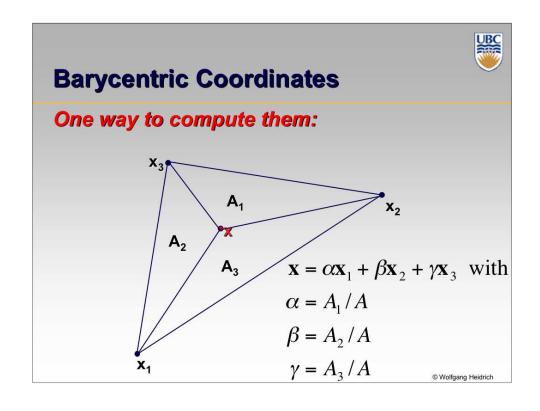


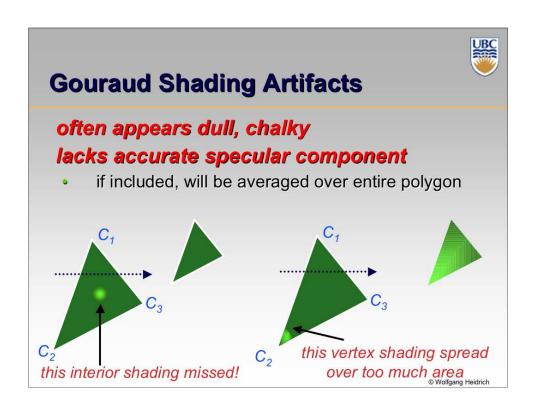
Convex combination of 3 points

$$\mathbf{x} = \alpha \cdot \mathbf{x}_1 + \beta \cdot \mathbf{x}_2 + \gamma \cdot \mathbf{x}_3$$
  
with  $\alpha + \beta + \gamma = 1, \ 0 \le \alpha, \beta, \gamma \le 1$ 

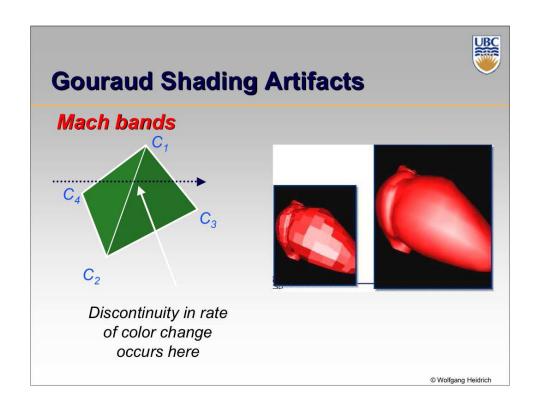
 α, β, and γ are called barycentric coordinates







# Gouraud Shading Artifacts Mach bands • Eye enhances discontinuity in first derivative • Very disturbing, especially for highlights

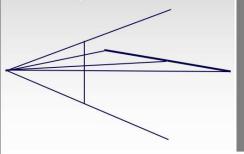


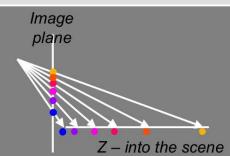


# **Gouraud Shading Artifacts**

# Perspective transformations

- Affine combinations only invariant under affine, not under perspective transformations
- Thus, perspective projection alters the linear interpolation!





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# **Gouraud Shading Artifacts**



# Perspective transformation problem

- Colors slightly "swim" on the surface as objects move relative to the camera
- Usually ignored since often only small difference
  - Usually smaller than changes from lighting variations
- To do it right
  - Either shading in object space
  - Or correction for perspective foreshortening
  - Expensive thus hardly ever done for colors



# **Phong Shading**

# linearly interpolating surface normal across the facet, applying Phong lighting model at every pixel

- · Same input as Gouraud shading
- Pro: much smoother results
- · Con: considerably more expensive





#### Not the same as Phong lighting

- Common confusion
- Phong lighting: empirical model to calculate illumination at a point on a surface

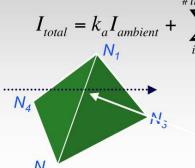
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# **Phong Shading**

# Linearly interpolate the vertex normals

- Compute lighting equations at each pixel
- Can use specular component



 $I_{total} = k_a I_{ambient} + \sum_{i=1}^{\# lights} I_i \left( k_d \left( \mathbf{n} \cdot \mathbf{l_i} \right) + k_s \left( \mathbf{v} \cdot \mathbf{r_i} \right)^{n_{shiny}} \right)$ 

remember: normals used in diffuse and specular terms

discontinuity in normal's rate of change harder to detect



# **Phong Shading Difficulties**

# Computationally expensive

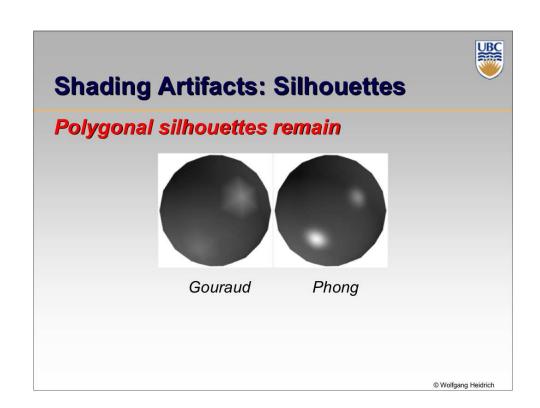
- Per-pixel vector normalization and lighting computation!
- Floating point operations required

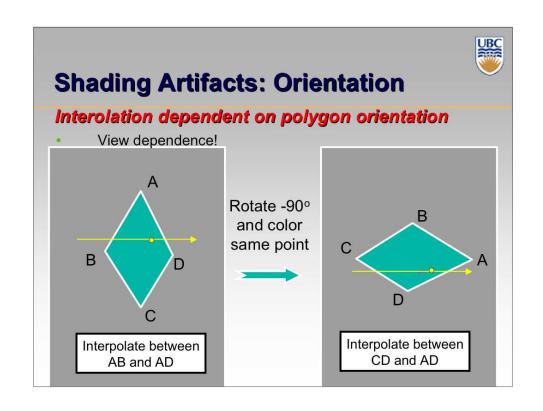
# Lighting after perspective projection

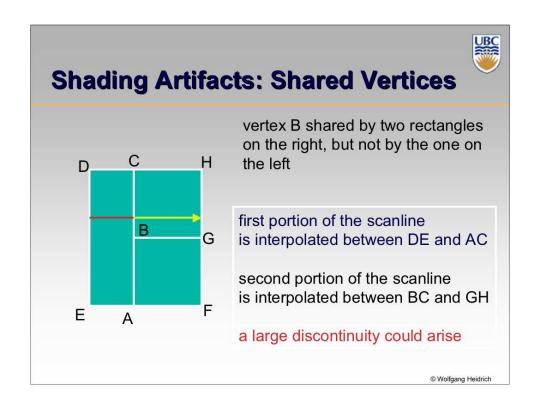
- Messes up the angles between vectors
- Have to keep eye-space vectors around

# no direct support in hardware

But can be simulated with texture mapping









# **Shading Models Summary**

# Flat shading

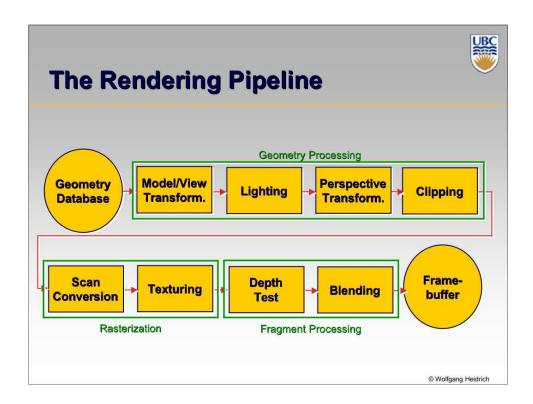
Compute Phong lighting once for entire polygon

# Gouraud shading

 Compute Phong lighting at the vertices and interpolate lighting values across polygon

# **Phong shading**

- Compute averaged vertex normals
- Interpolate normals across polygon and perform Phong lighting across polygon



# Coming Up Tuesday: Shading (2) Quiz 1 Thursday: Clipping Al due