

Note Title

01/03/2006



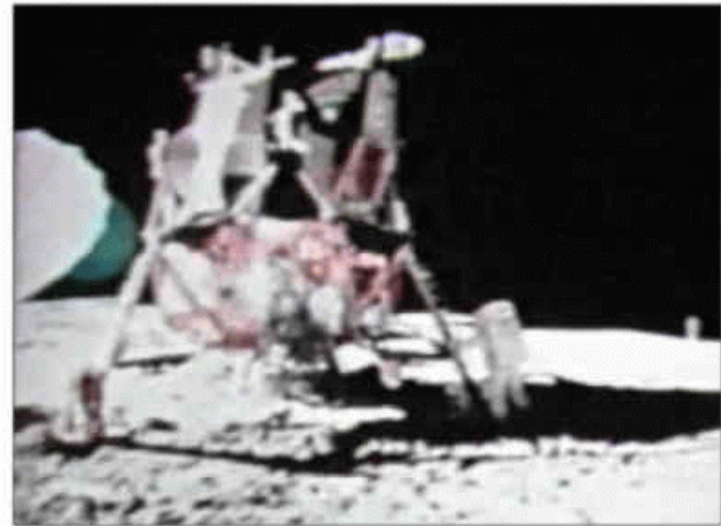
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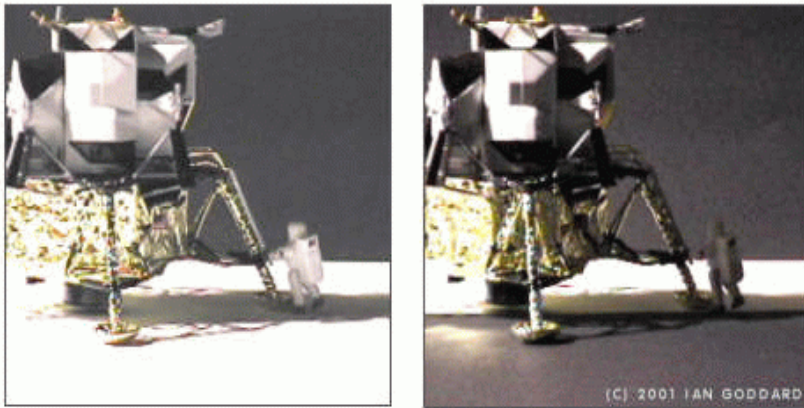
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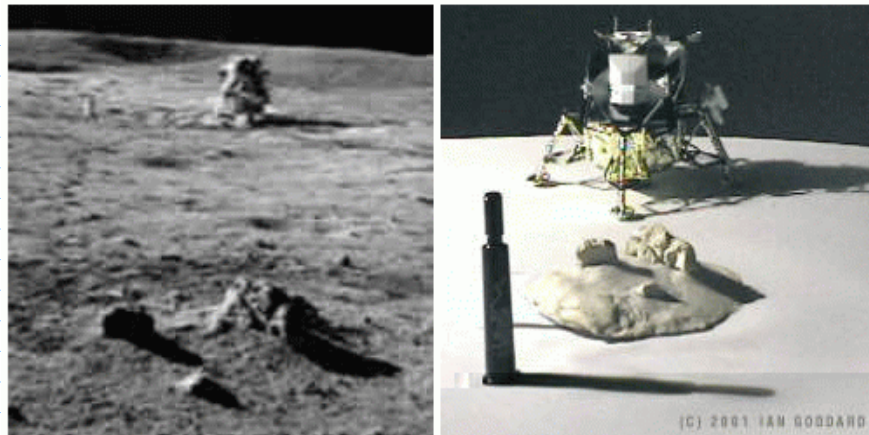


Question: *why is the astronaut in the shadow illuminated?*

Answer: surface reflection of light:



Test: surface reflection illuminates toy astronaut in shadow.
In second image, foreground reflection is reduced with black paper.



Test: slanted surface alters shadow direction on Moon-rock model under one light. Identical ground slant can be detected in Moon photo on left.

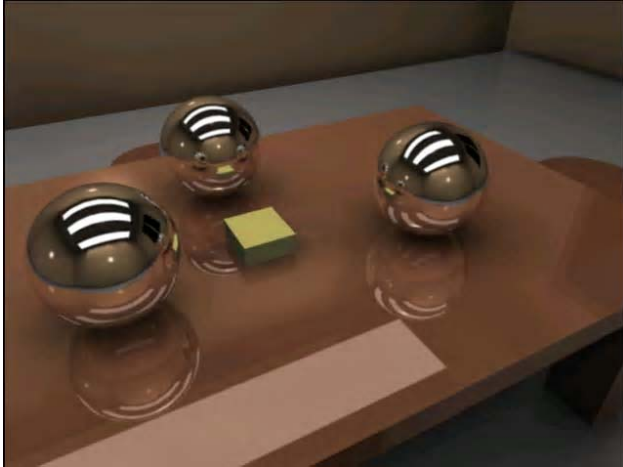
Illumination Models



[electricimage.com]



Images...



[electricimage.com]

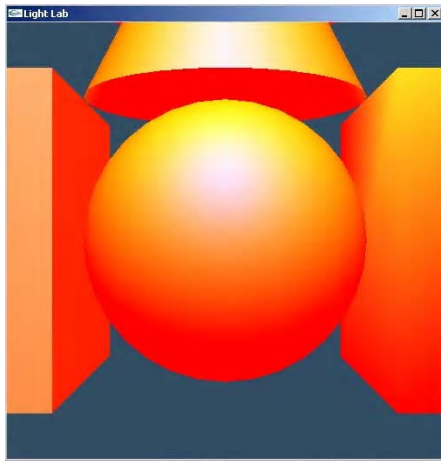


Local Illumination

Example



Demo



Local Illumination in the projective rendering pipeline



Local Illumination

- only models light arriving directly from light source
- interreflections and shadows
 - added through tricks, multiple rendering passes

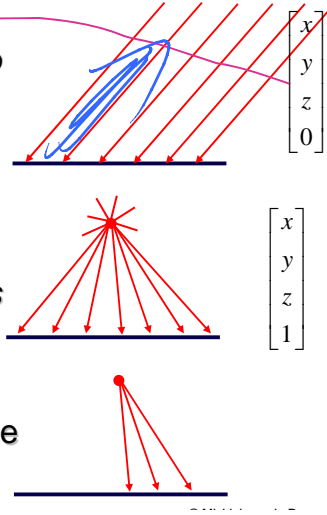
Types of Models

- Simple, non-physical reflection models (Phong, Blinn)
- physically-based reflection models
 - BRDFs: *Bidirectional Reflection Distribution Functions*

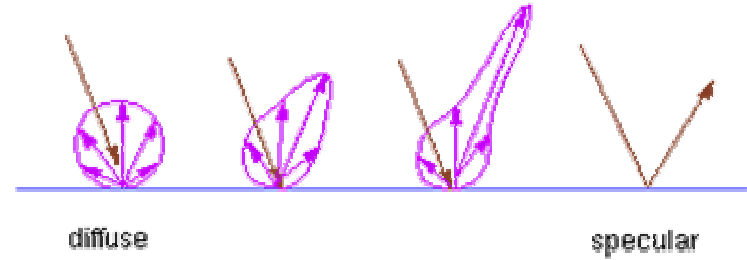
Light Sources

Types of light sources

- `glLightfv(GL_LIGHT0, GL_POSITION, light[])`
- Directional/parallel lights
 - E.g. sun
 - Homogeneous vector
- (Homogeneous) point lights
 - Same intensity in all directions
- Spot lights
 - Limited set of directions:
 - ▶ Point+direction+cutoff angle



Local Illumination



Commonly used model (simple, non-physical)

Combine diffuse, specular, ambient

- E.g. OpenGL / graphics hardware:

$$I_{out}(\mathbf{x}) = k_a \cdot I_a + k_d \cdot (\mathbf{l} \cdot \mathbf{n}) \cdot I_{diff} + k_s \cdot (\mathbf{h} \cdot \mathbf{n})^n \cdot I_{spec}$$

ambient
diffuse
specular

k_a, k_d, k_s surface params
I_a, I_d, I_s light params

Materials

Ambient Light

- Incoming light component that is identical everywhere in the scene
- No direction
- Hack for replacing true global illumination (light bouncing off from other objects)

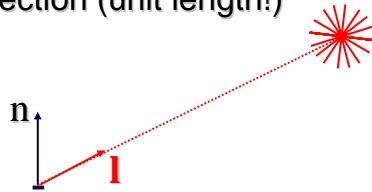
$$I_{out}(\mathbf{x}) = k_a \cdot I_a$$

Diffuse component: Lambert's Law



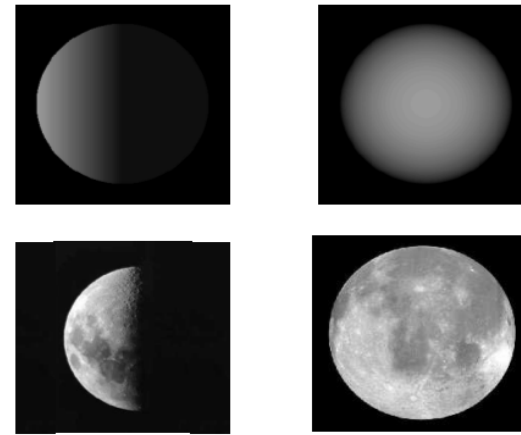
Johann Friedrich Lambert (1783):

- Power per unit area arriving at some object point x also depends on the angle of the surface to the light direction
 - dA : differential surface area surrounding x
 - \mathbf{l} : light direction (unit length!)



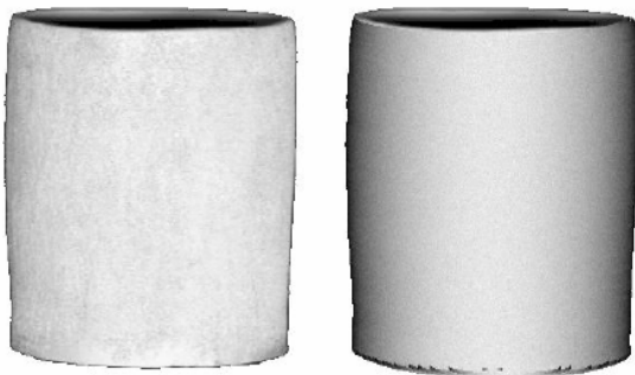
$$I'_{in}(\mathbf{x}) = \cos(\angle(\mathbf{n}, \mathbf{l})) \cdot I_{in}(\mathbf{x}) = (\mathbf{n} \cdot \mathbf{l}) \cdot I_{in}(\mathbf{x})$$

Why does the Full Moon have a flat appearance?



Lambertian Spheres and Moon Photos illuminated similarly

Surface Roughness Causes Flat Appearance



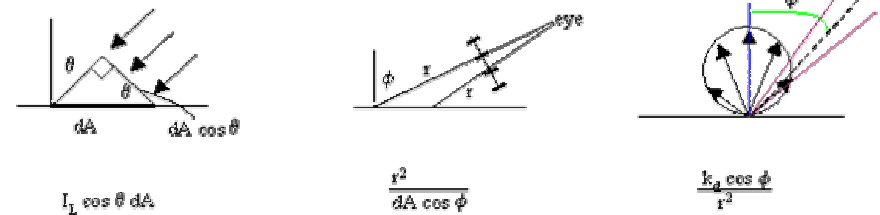
Actual Vase

Lambertian Vase

Diffuse Component: a more detailed look



- independent of viewing direction



$$I_L \cos \theta dA$$

$$\frac{r^2}{dA \cos \phi}$$

$$\frac{k_d \cos \phi}{r^2}$$

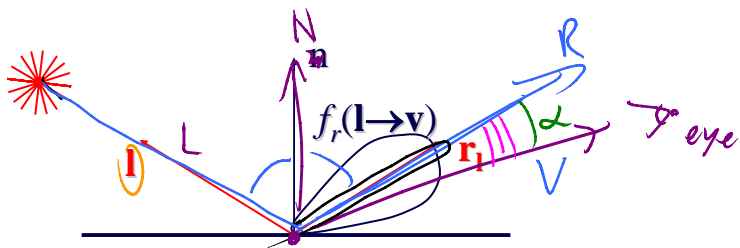
I_p = incoming energy per unit surface area
 x amount of surface area visible through pixel
 x fraction of energy sent in the direction of the pixel

$$= I_L \cos \theta dA \times r^2 / (dA \cos \phi) \times k_d \cos \phi / r^2$$

Materials

Specular/Glossy

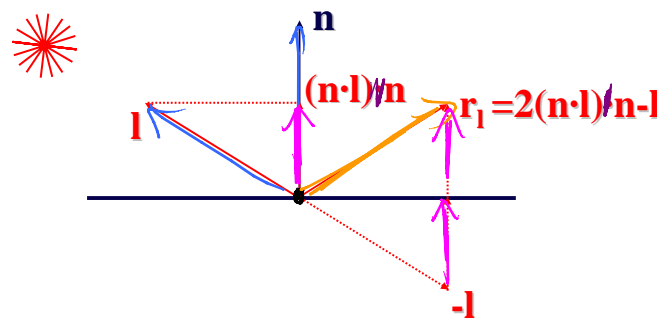
- Light is mostly reflected into the directions around the mirror direction r_1 of l



Materials

Specular/Glossy

- Computing reflection direction r_1 of l
 - n and l are unit length!



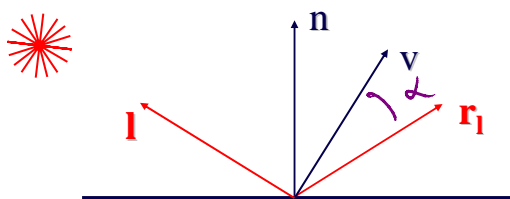
Materials

Phong Model (Phong Bui-Tuong, 1975)

- Use cosine power as heuristic

$$I_{spec} = k_s \cdot (\mathbf{v} \cdot \mathbf{r}_1)^n \cdot I_{in}$$

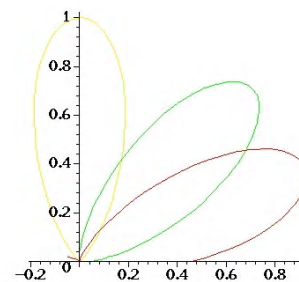
Handwritten notes: "shininess" with an arrow pointing to n ; "cos α " with an arrow pointing to $(\mathbf{v} \cdot \mathbf{r}_1)$; "n = 50-200" and "shiny" with an arrow pointing to n ; "= 10 large highlights" with an arrow pointing to n .



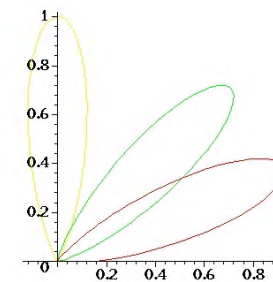
Materials

Phong model

- Polar plot



$n=10$



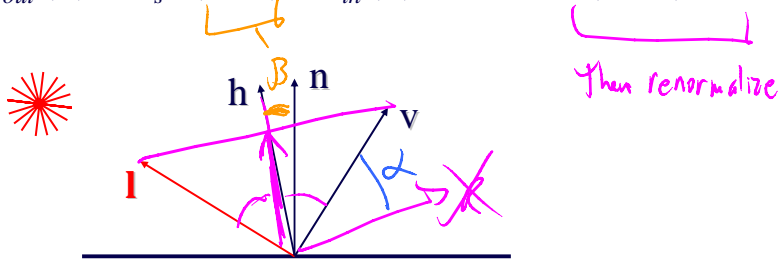
$n=100$

Materials

Blinn-Phong model (Jim Blinn, 1977)

- Variation with better physical interpretation
 - \mathbf{h} : halfway vector; n : shininess

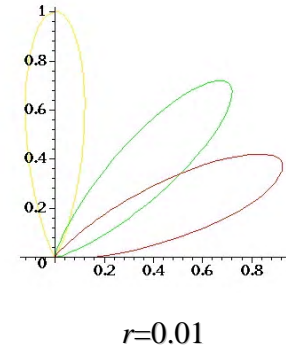
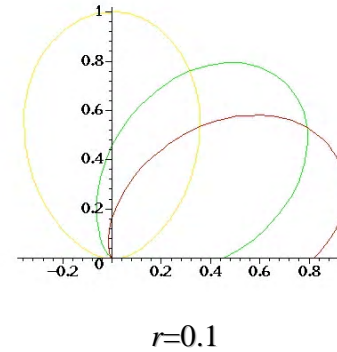
$$I_{out}(\mathbf{x}) = k_s \cdot (\mathbf{h} \cdot \mathbf{n})^n \cdot I_{in}(\mathbf{x}); \text{ with } \mathbf{h} = (\mathbf{l} + \mathbf{v}) / 2$$



Materials

Blinn-Phong Model

- Polar plot



Commonly used model (simple, non-physical)

Combine diffuse, specular, ambient

- E.g. OpenGL / graphics hardware:

$$I_{out}(\mathbf{x}) = k_a \cdot I_a + k_d \cdot (\mathbf{l} \cdot \mathbf{n}) \cdot I_{diff} + k_s \cdot (\mathbf{h} \cdot \mathbf{n})^n \cdot I_{spec}$$

ambient diffuse specular

Phong

Blinn

$(\mathbf{r} \cdot \mathbf{v})^n$

L, V, N

Lighting in OpenGL

- Light source: amount of RGB light emitted
 - value represents percentage of full intensity, e.g., (1.0, 0.5, 0.5)
 - every light source emits ambient, diffuse, and specular light
- Materials: amount of RGB light reflected
 - value represents percentage reflected e.g., (0.0, 1.0, 0.5)



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Lighting in OpenGL

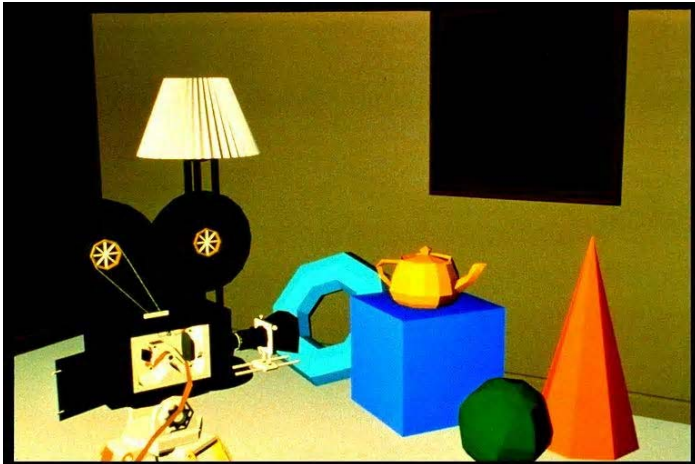
```
glLightfv(GL_LIGHT0, GL_AMBIENT, amb_light_rgba );  
glLightfv(GL_LIGHT0, GL_DIFFUSE, dif_light_rgba );  
glLightfv(GL_LIGHT0, GL_SPECULAR, spec_light_rgba );  
glLightfv(GL_LIGHT0, GL_POSITION, position);  
glEnable(GL_LIGHT0);  
  
glMaterialfv( GL_FRONT, GL_AMBIENT, ambient_rgba );  
glMaterialfv( GL_FRONT, GL_DIFFUSE, diffuse_rgba );  
glMaterialfv( GL_FRONT, GL_SPECULAR, specular_rgba );  
glMaterialfv( GL_FRONT, GL_SHININESS, n );
```



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Flat Shading

Example:



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Gouraud Shading

Example:



Materials

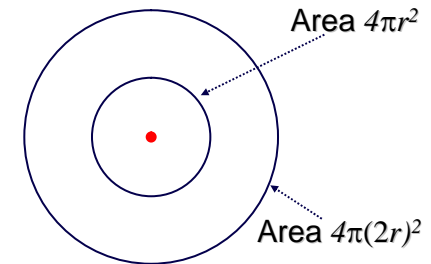
Summary

- Very simple reflection models
- Fast (dot products & exponentiation)
- No physical justification
- Not very good for modeling real world

Light Sources

Quadratic falloff

- Brightness of objects depends on power per unit area that hits the object
- The power per unit area for a point or spot light decreases quadratically with distance



Light Sources

Non-quadratic falloff:

- Many systems allow for other falloffs
- Allows for faking of the effect of area light sources
- OpenGL / graphics hardware:
 - I_o : intensity of light source
 - \mathbf{x} : object point
 - r : distance of light from \mathbf{x}

$$I_{in}(\mathbf{x}) = \frac{1}{ar^2 + br + c} \cdot I_0$$

Materials

Bi-directional Reflectance Distribution Function (BRDF):

- Describes fraction of light reflected for all combinations of incoming (light) and outgoing (viewing) directions
- Color channels (R, G, B) are treated separately
 - Actually: wavelengths (see later in course)

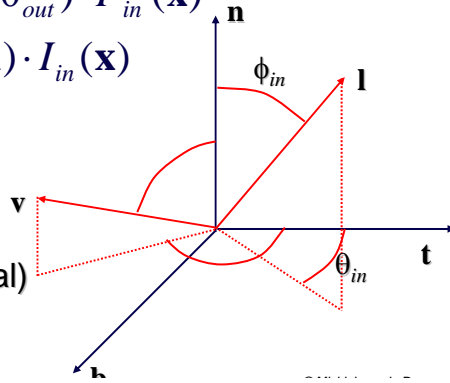
Materials

Bi-directional Reflectance Distribution Function (BRDF):

$$I_{out}(\mathbf{x}) = f_r(\phi_{in}, \theta_{in}, \phi_{out}, \theta_{out}) \cdot I'_{in}(\mathbf{x})$$

$$= f_r(\mathbf{l} \rightarrow \mathbf{v}) \cdot (\mathbf{n} \cdot \mathbf{l}) \cdot I_{in}(\mathbf{x})$$

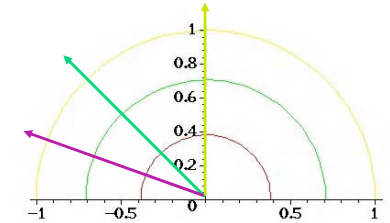
- $f_r(\mathbf{l} \rightarrow \mathbf{v})$ is called *BRDF*
- $(\mathbf{t}, \mathbf{n}, \mathbf{b})$ is *local coordinate frame* (normal, tangent, binormal)



Materials

Polar plot of BRDF

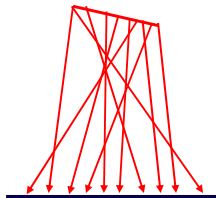
- Fix incoming light direction \mathbf{l}
- Plot $f_r(\mathbf{l} \rightarrow \mathbf{v}) \cdot \mathbf{v}$ for all viewing directions \mathbf{v}
- Works for 2D and 3D plots
- Example: 2D polar plot for diffuse BRDF



Light Sources

Area lights:

- light sources with a finite area
- more realistic model of many light sources
- Not available with projective rendering pipeline, (i.e., not available with OpenGL)



Gouraud Shading

Mach Bands:

- Eye enhances discontinuity in first derivative
- Very disturbing, especially for highlights

